

GP-B Charge Management

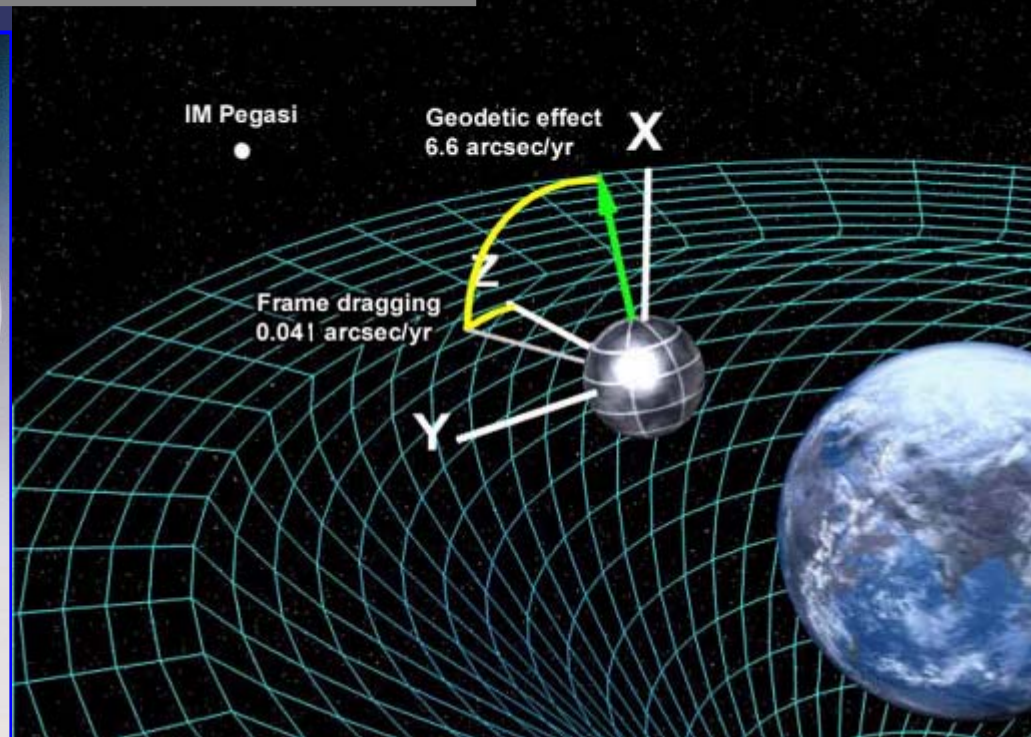
Results and Lessons Learned

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Boston, July 26, 2007

G070568-00-R



Outline

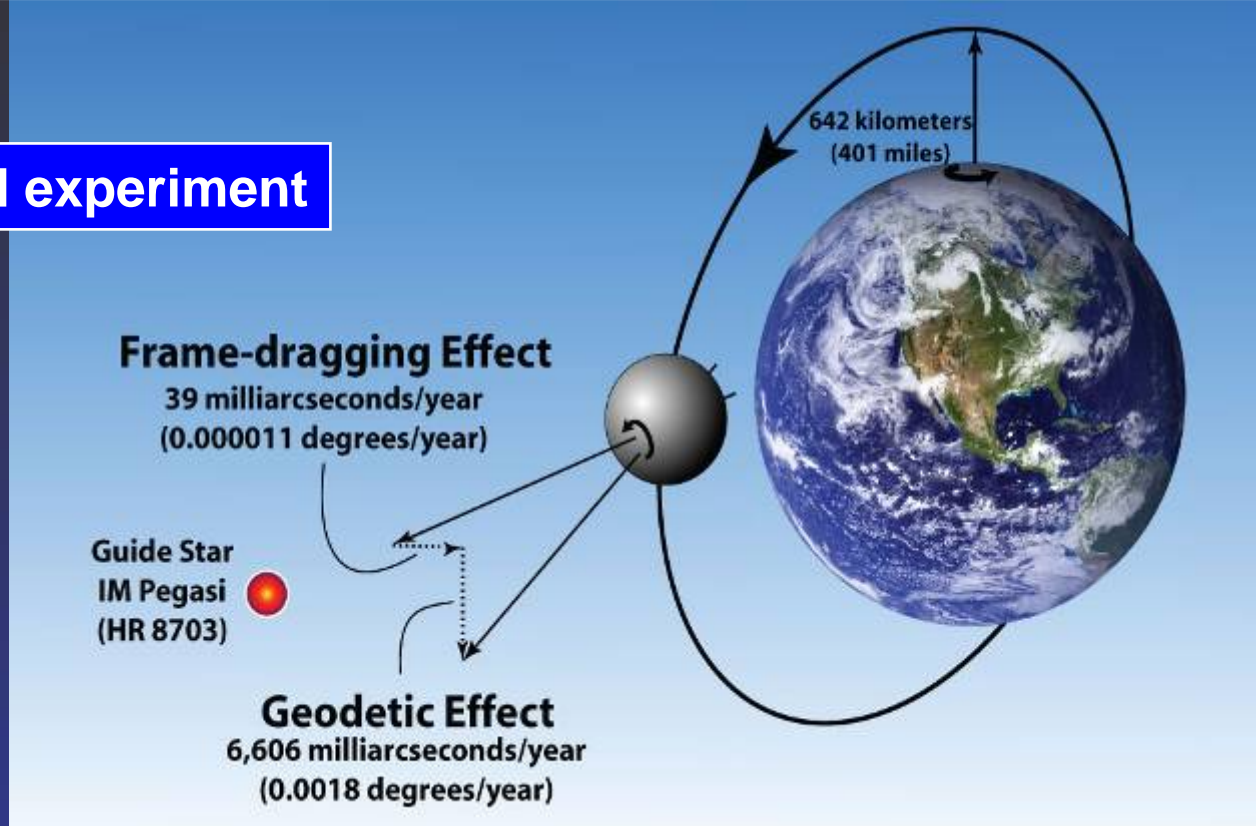
- The Relativity Mission GP-B
 - Experiment Overview
 - Results as of April 2007
- Charge Management
 - System Design
 - Results
 - Patch Effects
- Lessons Learned
 - Charge Measurement Issue
 - The Path to LISA and STEP
 - The NanoSat Program for Technology Development



The Relativity Mission Concept

"No mission could be simpler than Gravity Probe B. ... just a star, a telescope, and a spinning sphere." — William Fairbank

Controlled experiment



$$\bar{\Omega} = \left(\gamma + \frac{1}{2} \right) \frac{GM}{c^2 R^3} (\bar{R} \times \bar{v}) + \left(\gamma + 1 + \frac{\alpha_1}{4} \right) \frac{GI}{2c^2 R^3} \left[\frac{3\bar{R}}{R^2} \cdot (\bar{\omega}_e \cdot \bar{R}) - \bar{\omega}_e \right]$$

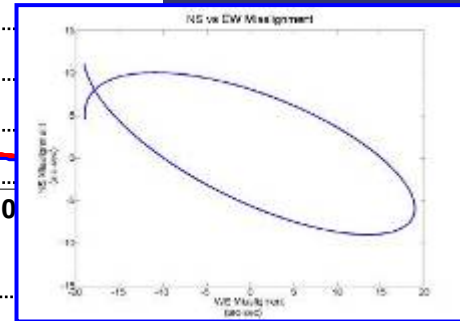
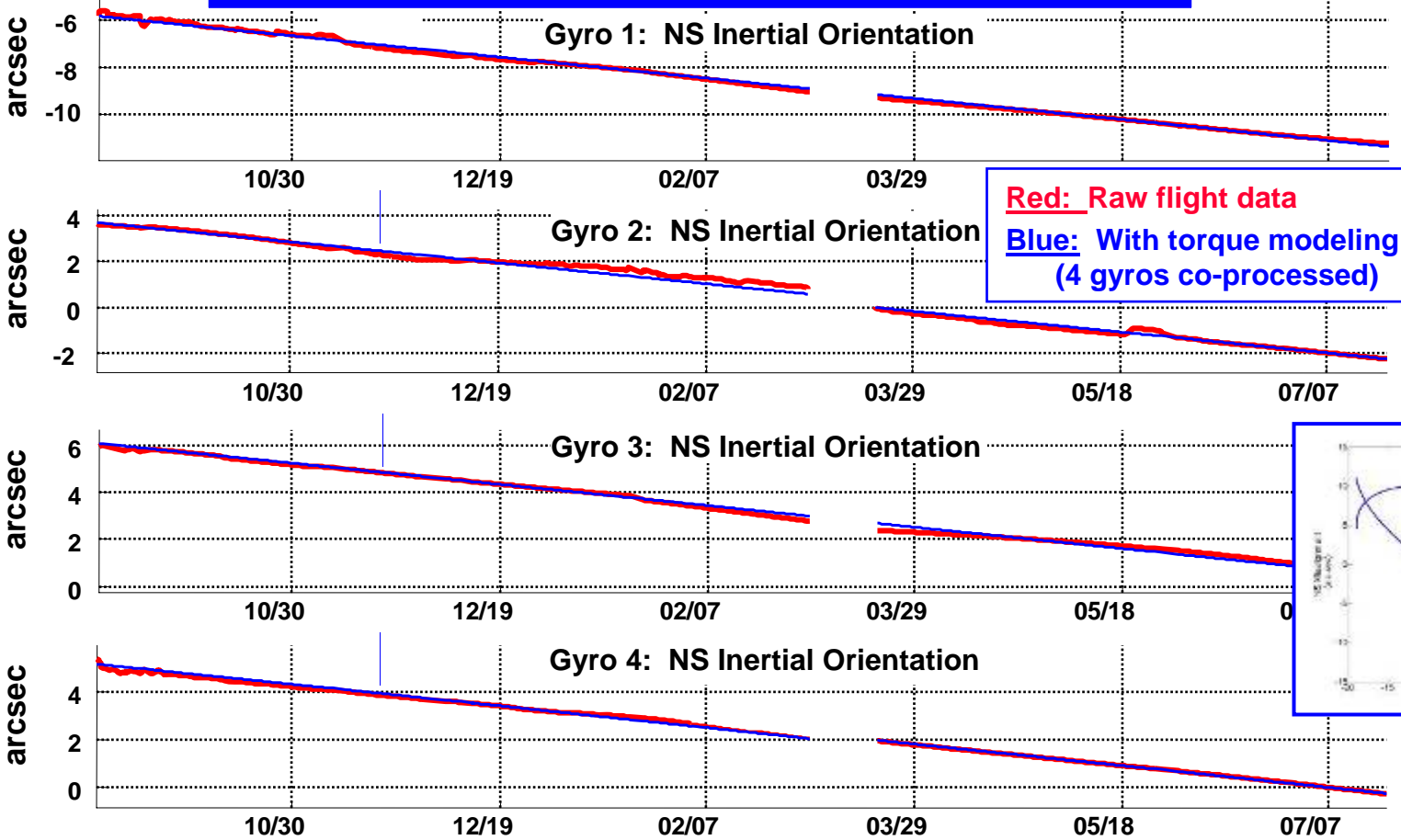
Geodetic Effect
Space-time curvature
de Sitter (1916)

Frame Dragging
Rotating matter drags space-time
Pugh and Schiff (1959, 1960)

Bottom Line

- GP-B has demonstrated that complex physics experiment work in space
- Seeing General Relativity Directly in a Controlled Experiment

Newtonian gravity would give horizontal (not sloped) data



GP-B experience is invaluable for future missions

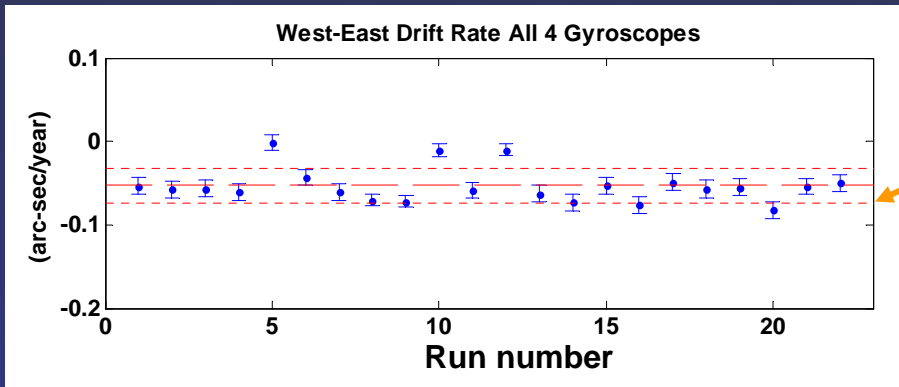
Present Statistical Error and Consistency of Rate Estimates

GR predictions

Geodetic (NS)
 6571 ± 1 marcs/yr

FD + other (EW)
 75 ± 1 marcs/yr

- Combined measurements of all 4 gyroscopes
- Statistical error for single run 11 marcs/yr
- Statistical error between runs 30 marcs/yr
- 4 Gyroscopes consistency 97 marcs/yr



EW (Lense-Thirring & other)
 net expected
 -75 ± 1 marcsec/yr

	Earth FD	solar geodetic	proper motion	net expected
rate	-39	-16	-20 ± 1	-75 ± 1

- Gyroscopes are consistent with one another and with GR predictions for the frame-dragging and the geodetic effects to less than 97 marcs/yr.
- Statistical error is significantly smaller than the differences between gyroscopes or between data runs: clear room for improvement!!

Charge Management

Charging Sources

- Levitation
- He gas spin-up
- Cosmic radiation
- *Variation in cosmic radiation charging*
 - *Shielding: Decreasing from Gyro #1 to Gyro # 4*
 - *Solar flares*

Ground Test/Analysis

- $< 1V$ test
- $< 1V$ test
- $\sim 0.1 - 1$ mV/day (GEANT)

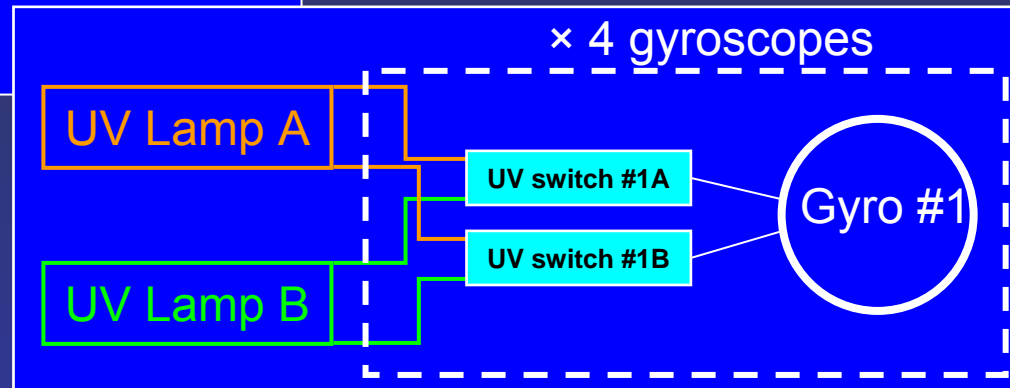
SM Results

- 200 – 500 mV
- Not observed: < 20 mV
- 0.1 – 1 mV/day

Rotor charge controlled with UV excited electrons

- 2 UV Hg lamps (254 nm line)
- 8 UV switches
- 2 UV fibers per gyroscope

Schematic of GP-B UV architecture



Continuous measurement at the 0.1 mV precision

- Control to 5 mV meets requirement of 15 mV

Charge Measurement by Force Modulation NO PATCH EFFECT

$$V_R = \frac{Q_R + \sum_{e\pm=1}^3 \langle V_{e\pm} \rangle \cdot C_{e\pm} + \langle V_g \rangle \cdot C_g}{C_T}$$

$$C_T \equiv \sum_{e\pm=1}^3 C_{e\pm} + C_g$$

Nominally $\langle V_{e\pm} \rangle = \langle V_g \rangle = 0 \quad \Rightarrow \quad V_R(\omega = 0) = \frac{Q_R}{C_T}$

$$F \equiv F_+ - F_- = \frac{A_+ \epsilon_0}{2d_+^2} (V_{e+} - V_R)^2 - \frac{A_- \epsilon_0}{2d_-^2} (V_{e-} - V_R)^2$$

$$V_{e\pm}(\omega_C) = \pm V_C \cos(\omega_C t) \quad A_+ = A_- \equiv A \quad d_{\pm} \equiv d \pm \Delta d$$

$$F(\omega_C) = \frac{2A\epsilon_0}{d^2} V_R V_C \cos(\omega_C t) \text{ to } O(\Delta d)$$

- 1) $\omega_C < \omega_{Suspension} < \omega_{Drag-free} \Rightarrow d(\omega_C) = 0$ measure $F(\omega_C)$
- 2) $\omega_C > \omega_{Drag-free} > \omega_{Suspension} \Rightarrow F(\omega_C) = 0$ measure $d(\omega_C)$
- 3) $\omega_C < \omega_{Drag-free} \Rightarrow d(\omega_C) = 0$ measure $F_{Drag-free}(\omega_C)$

$R \Rightarrow$ rotor

$e\pm \Rightarrow$ electrode pair

$g \Rightarrow$ ground plane

$A\pm / d\pm \Rightarrow$ electrode pair area/spacing

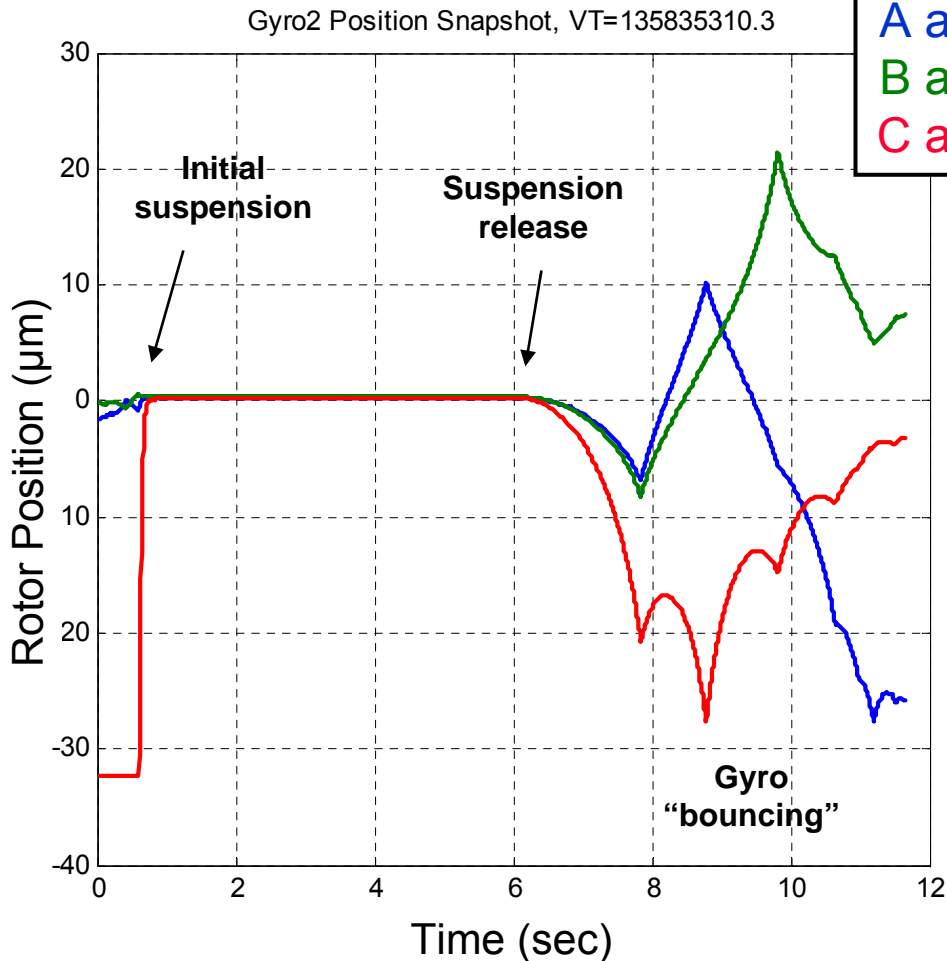
$C \Rightarrow$ charge measurement

$\omega_C \Rightarrow$ in control band 

GP-B Gyro On-Orbit Initial Lift-off

First Indication of Gyroscope Charging

Initial gyro levitation and de-levitation using analog backup system



Gyro "falls" 30 μm in 2.7 sec:

Equivalent to

1) SC drag of $\sim 10^{-5} \text{ m}\cdot\text{s}^{-2}$

or

2) Rotor voltage of $\sim 300 \text{ mV}$

SC drag excluded:

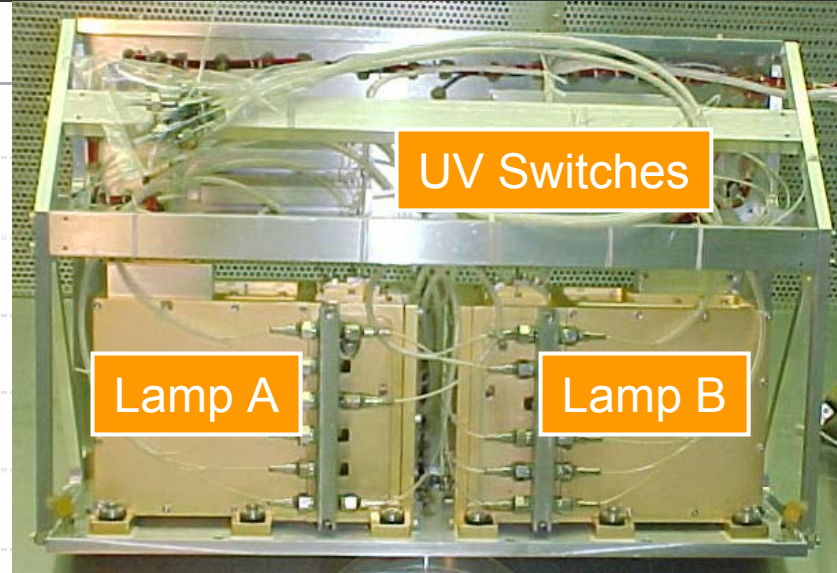
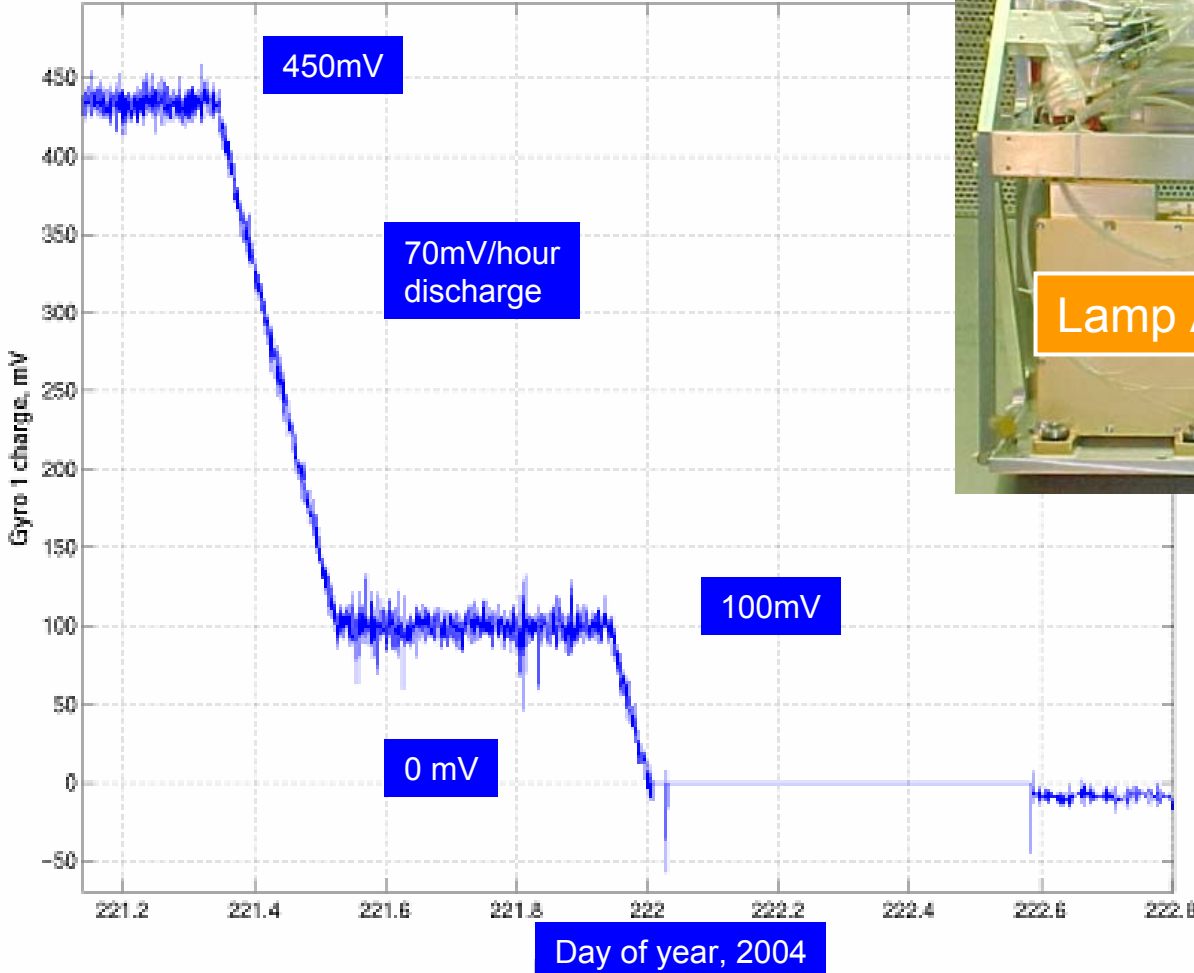
$a_{DF} < 10^{-6} \text{ m}\cdot\text{s}^{-2}$, Fall time $> 9 \text{ sec}$

Gyroscope levitates with $\sim 200 \text{ mV} - 500 \text{ mV}$ charge

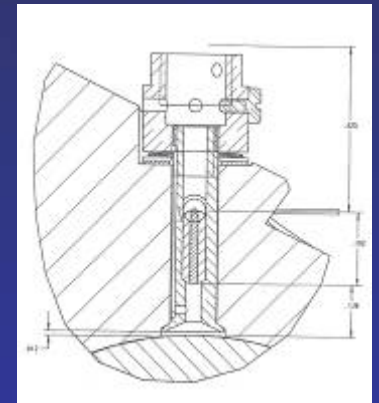
Charge Control: Discharge of Gyro #1

Discharge of Gyro1 following HV Spin Axis Alignment

Gyro 1 Charge (mV)



UV Lamp Assembly



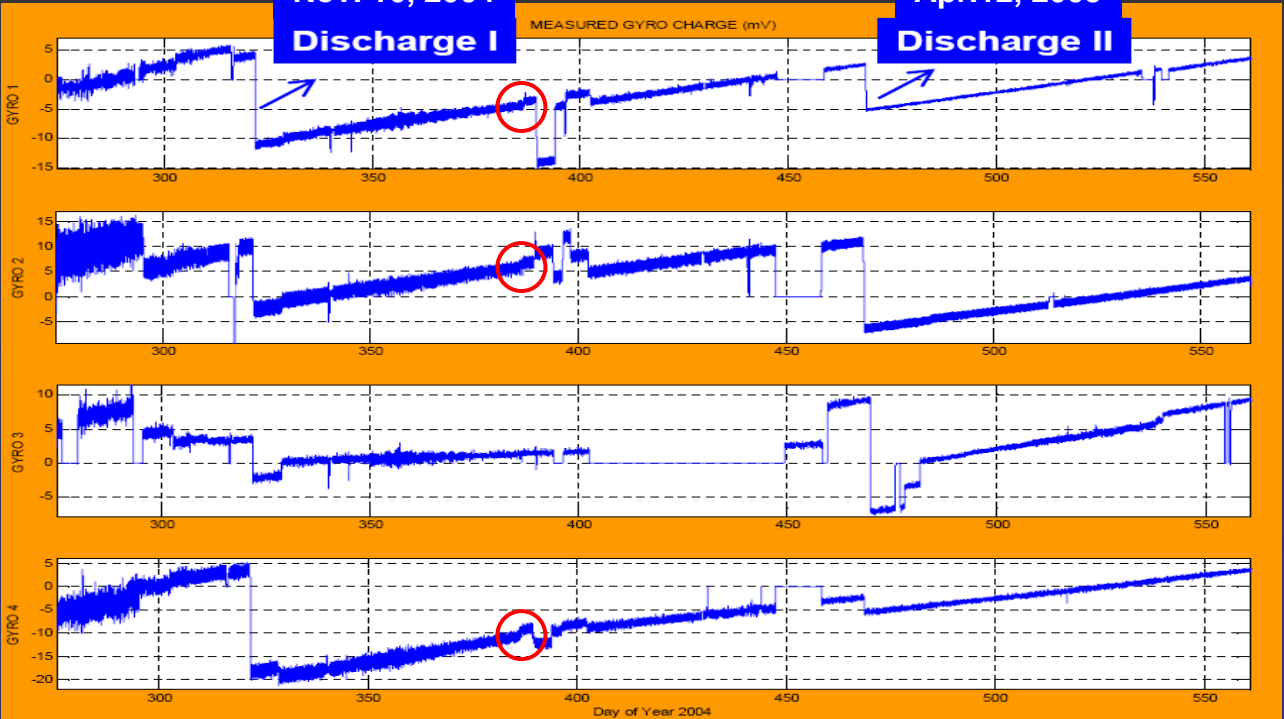
UV Electrode

Charge controlled to < 5 mV

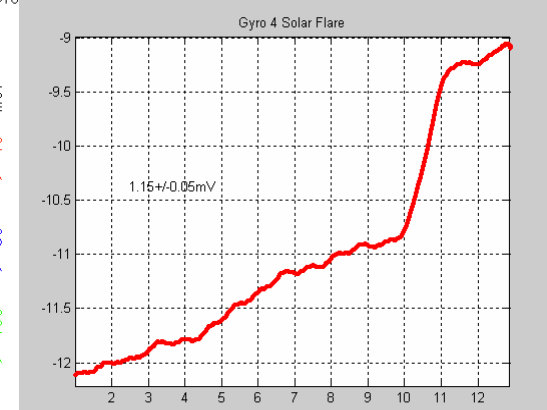
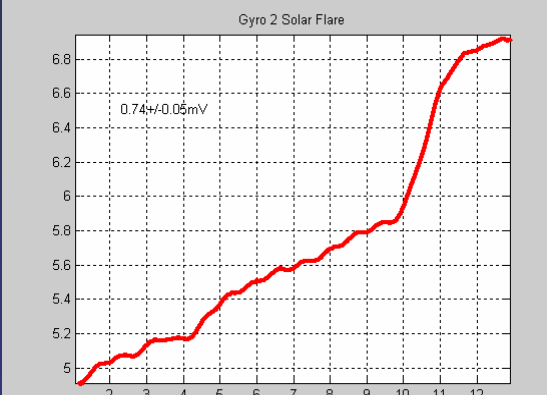
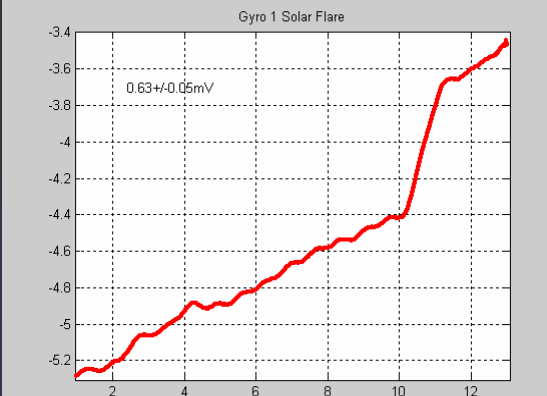
Charging History and Rates

Nov. 16, 2004
Discharge I

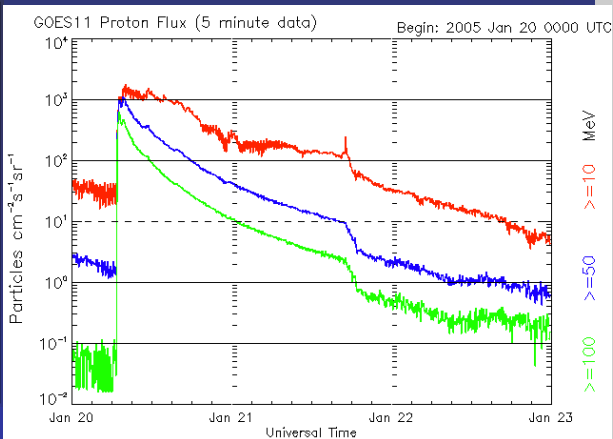
Apr. 12, 2005
Discharge II



Measured Gyro Charge (mV) vs Day of Year 2004

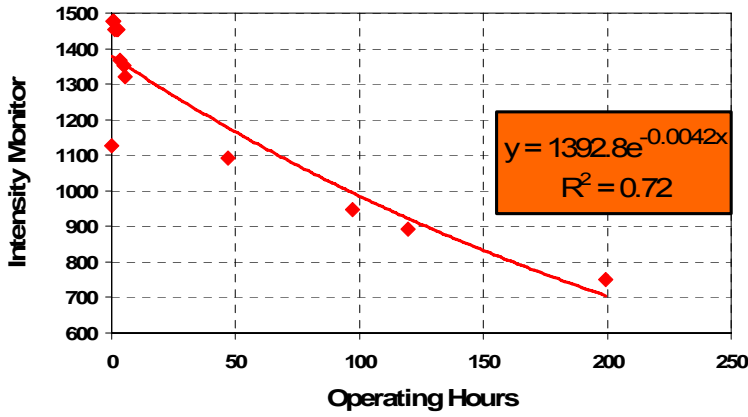


Charging rates to day 390		
	Average Charging Rate	Sun Spot 720
	mV/day	mV
Gyro 1	0.098 +/- 0.003	0.63 +/- 0.05
Gyro 2	0.114 +/- 0.003	0.74 +/- 0.05
Gyro 4	0.152 +/- 0.003	1.15 +/- 0.05

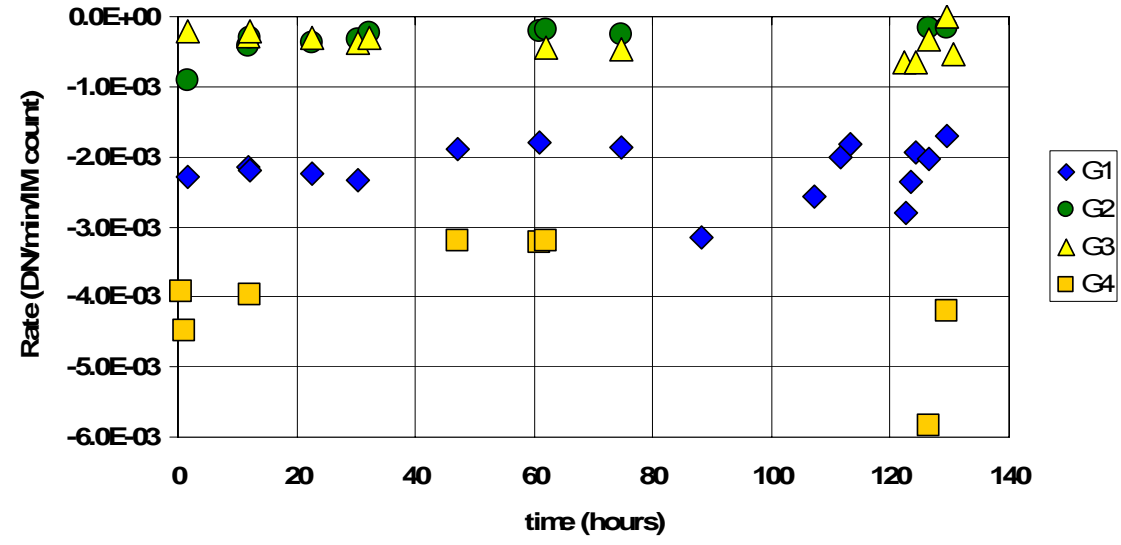


UV Lamps Lifetime

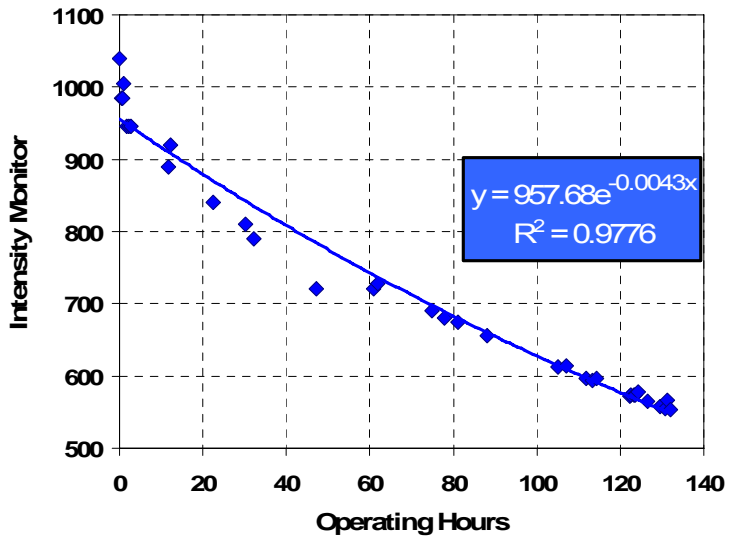
UV Lamp A Intensity vs Operating Hours



Normalized Discharge Rates vs Time - LAMP B, -3V Bias



UV Lamp B Intensity vs Operating Hours



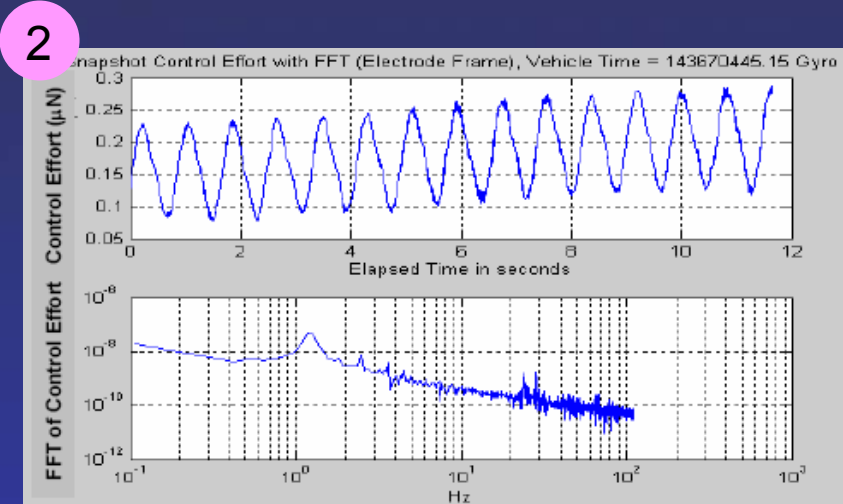
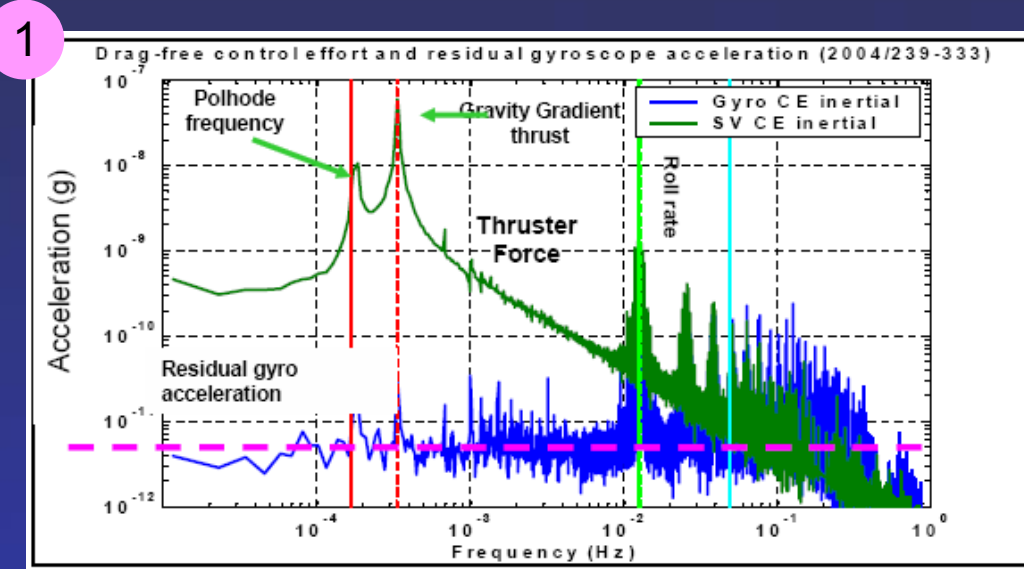
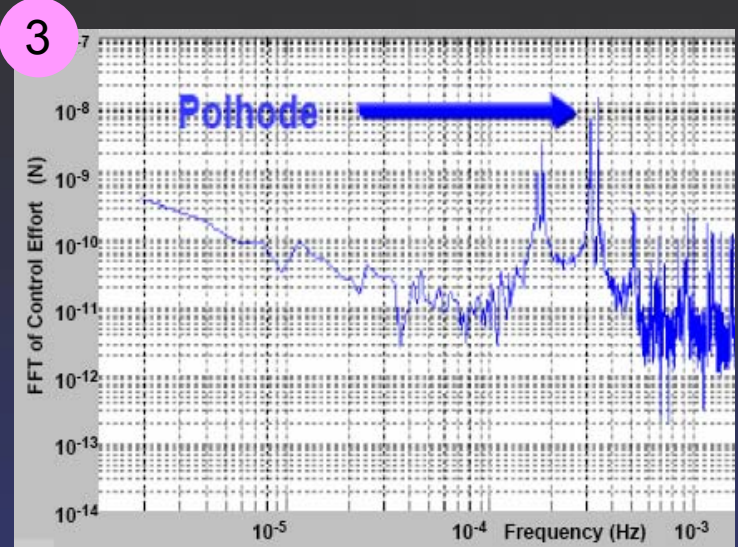
- UV lamp intensity decay time constant ~ 230 hours
- Large variability of discharge rates between gyroscopes
- The GP-B Hg UV lamps met all requirements

Experimental Observations

Coupling of rotor-fixed frame to the GSS

Modulation at polhode frequency

- 1 ➤ Z (telescope axis) bias: 2×10^{-8} N
- 2 ➤ Control effort at 1.3Hz spin: 30% of $\sim 2 \times 10^{-7}$ N
 - Position & suspension voltage at 1.3Hz spin: 60 nm_{pp}
- 3 ➤ Control effort at 80 Hz spin: 30% of $\sim 10^{-8}$ N
 - Orbit instability at polhode = orbit for drag free Gyro3



The Patch Effect

Possible Causes of Coupling

1. Rotor geometry
 - a. Mass unbalance: $\sim 10\text{nm}$ (3×10^{-3} of gap)
 - ⇒ **Small compared to > 10% effects**
 - b. Surface waviness: $\sim 10\text{nm}$ (3×10^{-3} of gap)
 - ⇒ **Small compared to > 10% effects**
2. Trapped flux interacting with housing

Three independent calculations

 - ⇒ **Effect too small by orders of magnitude**
3. Non uniform potential of rotor surface
 - ⇒ **Patch effects consistent with data**



Consequences

- Polhode damping
- Misalignment torque
- Spin-down torque
- Inconsistencies in the charge measurements

- Variation of electric potential over the surface
 - ◆ It can arise due to the polycrystalline structure
 - ◆ It can be affected by presence of contaminants
- Modeled as dipole layer
- Patch fields present on rotor and housing walls
- Cause forces and torques between surfaces



Observations explained by patch effect of $\sim 50\text{-}100\text{ mV}$ on rotor and housing

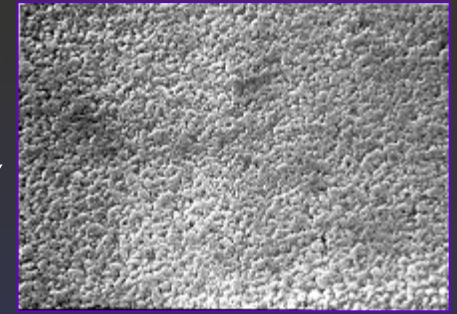
Patch Effect Investigations

➤ Pre-launch investigation

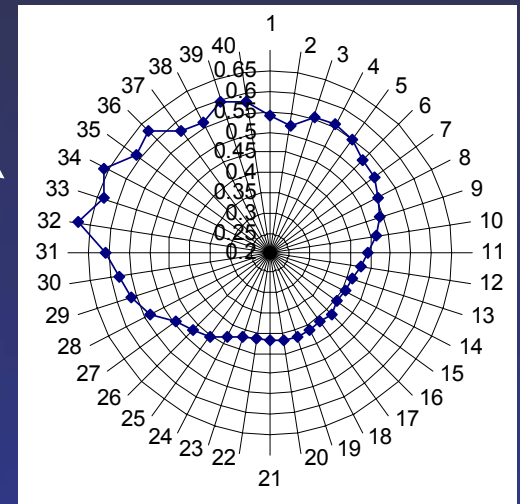
- ◆ Contact potential differences $\sim 0.1V - 1V$
- ◆ Patches mitigated/eliminated by minute grain size, $0.1 \mu m \ll 30 \mu m$ rotor-electrode gap
- ◆ Kelvin probe measurements on flat samples

➤ Additional ground-based investigations

- ◆ Work function profile via UV photoemission
- ◆ Detailed analytical modeling
- ◆ Kelvin probe measurements



SEM image of rotor Nb film
average grain size $0.1 \mu m$



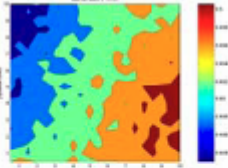
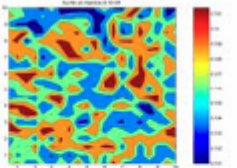
Work function polar plot,
UV photoemission

Kelvin probe scans

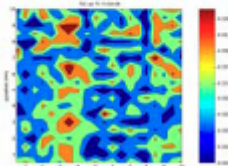
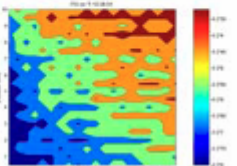
Kelvin probe

Examples of Spatial Scans

Gold-niobium on alumina (p-to-p 13 mV) Diamond-like carbon on beryllia (p-to-p 22 mV)



Indium tin oxide on titanium (p-to-p 6 mV) Titanium carbide on titanium (p-to-p 6 mV)



Contact potential difference in volts over 10 mm by 10 mm area (400 data points).



Talks by Norna Robertson
and Jordan Camp

Charge Measurement by Force Modulation WITH PATCH EFFECT

$$V_{P\pm} = \langle V_{Pe\pm} \rangle - \langle V_{PR\pm} \rangle$$

$$V_{Pg} = \langle V_{gH} \rangle - \langle V_{gR} \rangle$$

$$F \equiv F_+ - F_- = \frac{A_+ \epsilon_0}{d_+^2} (V_{e+} + V_{Pe+} - V_R)^2 - \frac{A_- \epsilon_0}{d_-^2} (V_{e-} + V_{Pe-} - V_R)^2$$

$$F(\omega_C) = \frac{2A\epsilon_0}{d^2} \left[V_R - \frac{1}{2}(V_{P+} + V_{P-}) - \frac{\Delta d}{2d}(V_{P+} - V_{P-}) \right] V_C \cos(\omega_C t)$$

$P \Rightarrow$ patch potential average

$R\pm / H\pm \Rightarrow$ electrode pair rotor/housing side

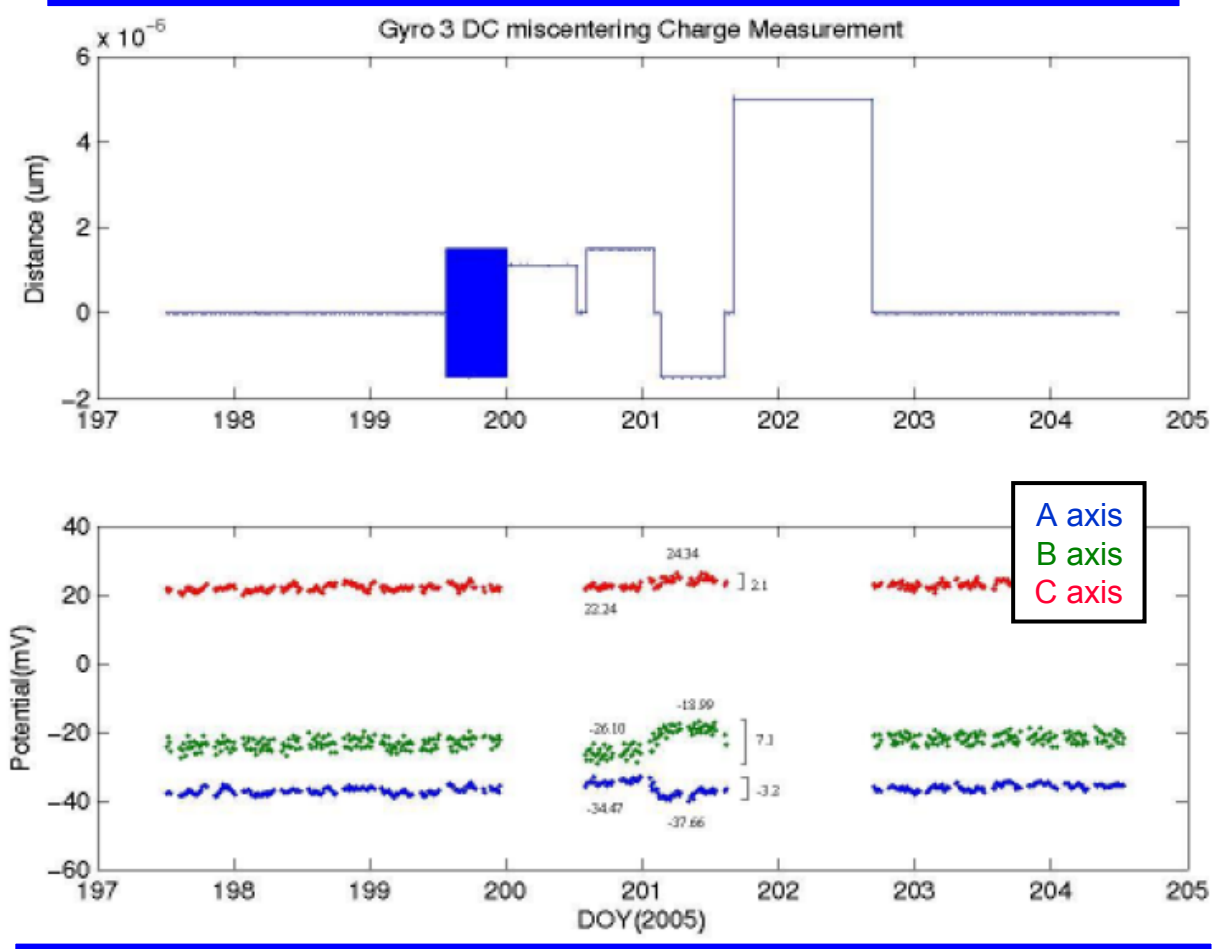
$gH / gR \Rightarrow$ ground plane rotor/housing side

➤ $F(\omega_C)$ dependent on $V_{P\pm}$ and Δd

Charge Measurement with Patch Effects

Ed Fei senior thesis

Relative position of gyroscope #3; same for all three axes



Gyroscope #3 potentials and their shifts due to miscentering

$$V_{RA} \neq V_{RB} \neq V_{RC}$$

$$V_{R(A,B,C)} = f(\Delta d_{(A,B,C)})$$

Patches on test mass and housing require additional measurements and modeling

The Spin Averaging GP-B Gyroscopes

Ed Fei senior thesis

Rotor Patches $\Delta d=0$

$$V_{RA} = V_R + \frac{V_1 + V_2}{2}$$

$$V_{RB} = V_R + \frac{V_1 + V_2}{2}$$

$$V_{RC} = V_R + V_3$$

$$V_{RA} = V_{RB} \neq V_{RC}$$

$$V_{R(A,B,C)} \neq f(\Delta d_{(A,B,C)})$$

Rotor Patches $\Delta d \neq 0$

$$V_{RA} = V_R + \frac{V_1 + V_2}{2} + \Delta d_A (V_1 - V_2)$$

$$V_{RB} = V_R + \frac{V_1 + V_2}{2} - \Delta d_B (V_1 - V_2)$$

$$V_{RC} = V_R + V_3$$

$$V_{RA} \neq V_{RB} \neq V_{RC}$$

$$V_{R(A,B)} = f(\Delta d_{(A,B)})$$

$$V_{RC} \neq f(\Delta d_C)$$

Rotor + Electrode Patches $\Delta d \neq 0$

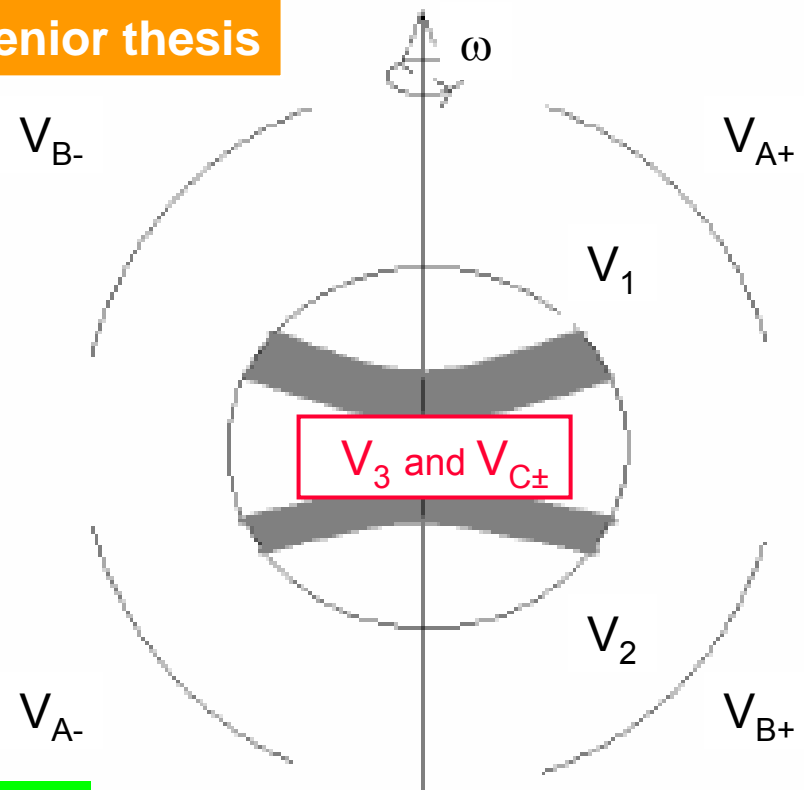
$$V_{RA} = V_R + \frac{(V_1 - V_{A+}) + (V_2 - V_{A-})}{2} + \Delta d_A [(V_1 - V_{A+}) - (V_2 - V_{A-})]$$

$$V_{RB} = V_R + \frac{(V_1 - V_{B+}) + (V_2 - V_{B-})}{2} - \Delta d_B [(V_1 - V_{B+}) - (V_2 - V_{B-})]$$

$$V_{RC} = V_R + V_3 - \frac{V_{C+} + V_{C-}}{2} - \Delta d_C (V_{C+} - V_{C-})$$

$$V_{RA} \neq V_{RB} \neq V_{RC}$$

$$V_{R(A,B,C)} = f(\Delta d_{(A,B,C)})$$



- Patches on test mass and electrodes required for data modeling
- With patches on test mass and electrodes the GP-B data is insufficient for unique solution

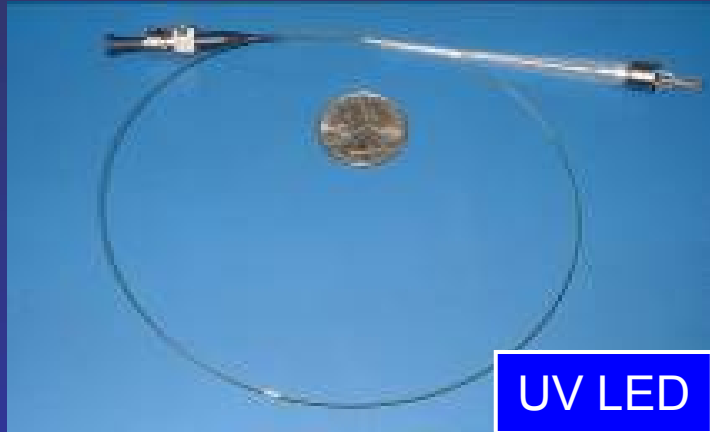
The Path to Future Experiments I

UV Sources

➤ Better UV source: **UV LED**

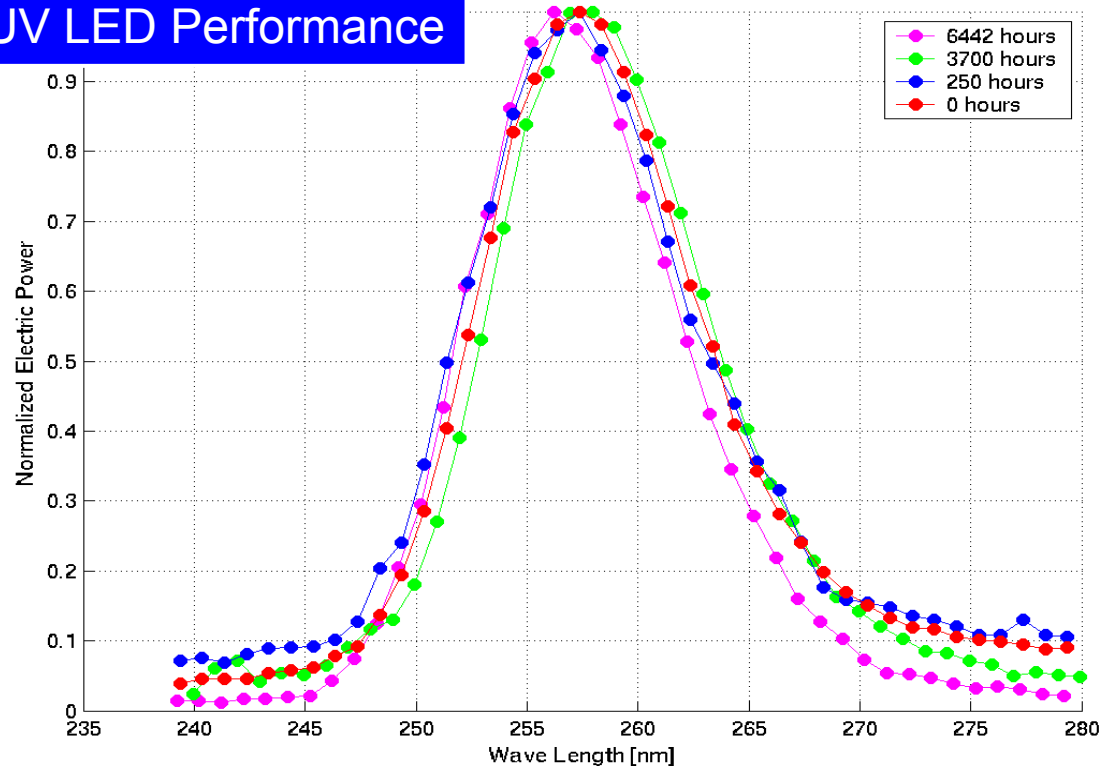
- ◆ Long lifetime >10,000 hours to date
- ◆ Lower power consumption
- ◆ Lower mass
- ◆ AC modulation up to 1 GHz

Talk by Ke-Xun Sun



UV LED

UV LED Performance



The Path to Future Experiments II

Charging Requirements

$$Q_{LISA} \leq 10^{-13} \text{ C} \quad \tau_{LISA} \cong 3 \text{ hours}$$

$$Q_{GPB} \leq 10^{-11} \text{ C} \quad \tau_{GPB} \cong 4 \text{ months}$$

Q requirement drivers
 a) Laurence force, b) $k \propto Q^2/d$

1. Reduce the LISA frequency of discharging requirement by 10 from 10^{-4} Hz to 10^{-5} Hz

Now $(10^{-17} \text{ C/s}) / (10^{-13} \text{ C}) = 10^{-4} \text{ Hz}$

- ◆ Improve radiation shielding by 10 $\Rightarrow 10^{-17} \text{ C/s to } 10^{-18} \text{ C/s}$
- ◆ Improve EMI shielding by 10 $\Rightarrow 10^{-13} \text{ C to } 10^{-12} \text{ C}$
- ◆ Increase gap by 10 $\Rightarrow 3 \text{ mm to } 30 \text{ mm}$
- ◆ Minimize patch effects on TM and housing
- ◆ Combinations of above

2. Reduce the LISA test mass potential requirement by 50-100 from 2 mV to 100 - 200 mV

Now $(10^{-13} \text{ C}) / (50 \times 10^{-12} \text{ F}) = 2 \times 10^{-3} \text{ V}$

- ◆ Improve EMI shielding by 10 $\Rightarrow 10^{-17} \text{ C/s to } 10^{-18} \text{ C/s}$
- ◆ Increase gap by 10 $\Rightarrow 50 \text{ pF to } 5 \text{ pF}$
- ◆ Combinations of above

The Path to Future Experiments III

Improved Technology and Operations

3. Control magnitude and time dependence of patch effects

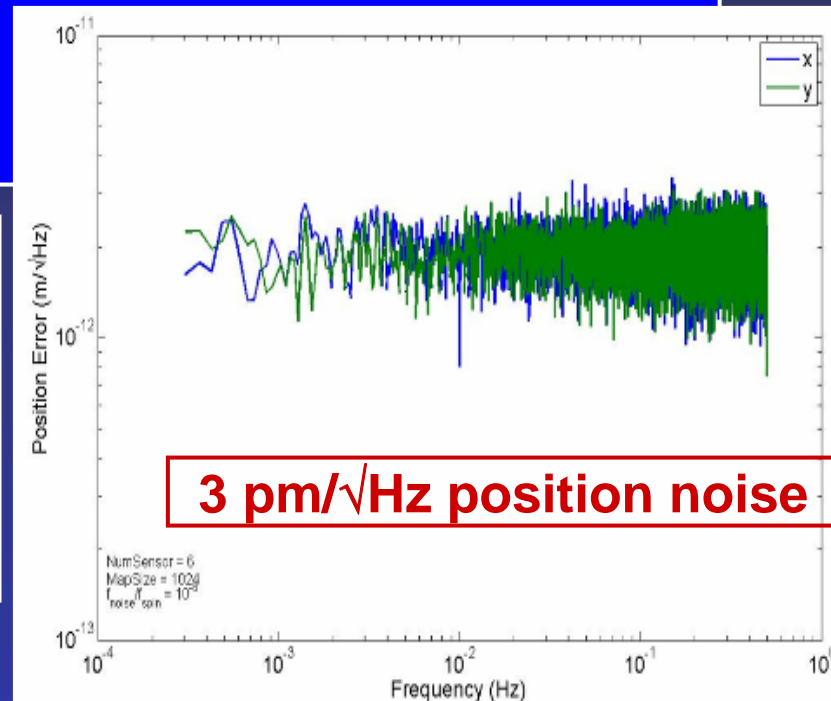
- ◆ Materials development
- ◆ Ground testing

4. Extensive charge measurements and calibrations

- ◆ Measurement frequencies must be different for different sensors
- ◆ Single electrodes
- ◆ Variable TM positions
- ◆ Particle monitoring

5. Use improved position measurement and control of TM

- ◆ 3 pm/ $\sqrt{\text{Hz}}$ with optical read-out
- ◆ Control position to <10 pm/ $\sqrt{\text{Hz}}$ with micro-thrusters



The Path to Future Experiments IV

The Improved Charge Management System

A. Charge measurement

- ◆ **Not required**

- ◆ Frequency of measurement below SM band
- ◆ Continuous measurement

Best

B. Charge generation (use UV LED)

- ◆ **Continuous**

- ◆ Frequency of discharging below SM band

C. Charge control loop

- ◆ **Not required**

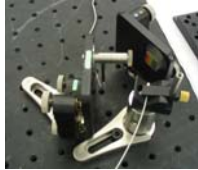
- ◆ Frequency of discharging below SM band
- ◆ Continuous control



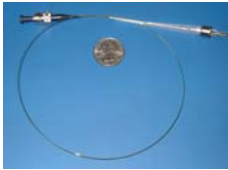
NASA- Stanford Gravity Reference NanoSatellites



Towards ultra high precision gravitation reference sensors and multi vehicle space interferometry



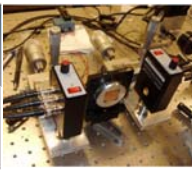
1 pm/Hz^{1/2} Grating Cavity Displacement Sensor



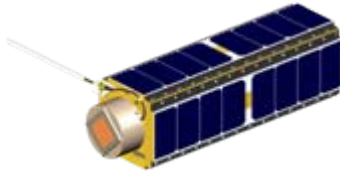
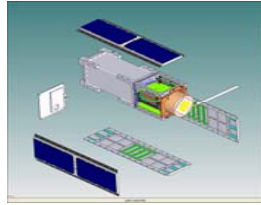
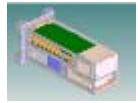
256 nm Deep UV LED



Roundest sphere and drag free sensor



1 nrad/Hz^{1/2} grating angular sensor



The Program

- Frequent launches on ride-along platforms
- Standard low cost bus configurations
- 12 - 24 month project duration

The Benefits

- New science: Physical, Life, Engineering
- Critical technology demonstrations
- Fast advance of NASA mission objectives
- Train engineers and scientists for the future



Stanford NANO SAT

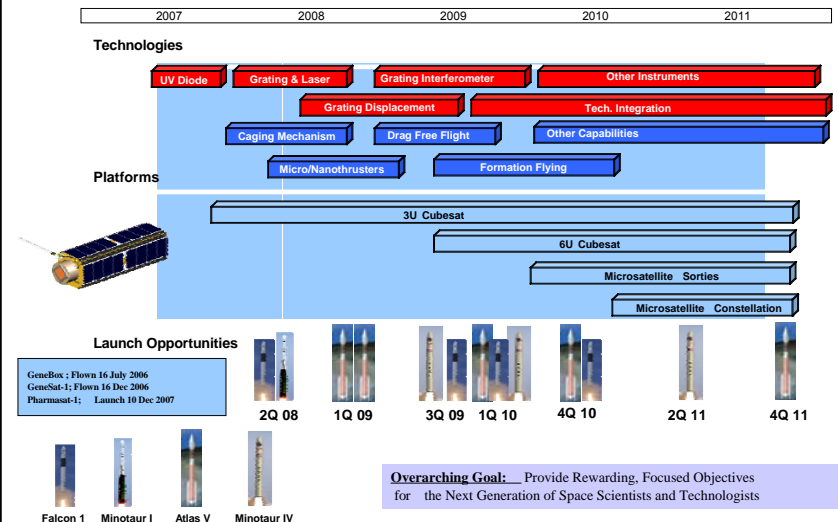


AMES GENESAT

• NASA-Ames has a spaceflight proven nanosatellite Platform which can accommodate and demonstrate technologies critical for implementing a low-cost, fast response Space Gravity Reference program

- Stanford has the gravity reference technologies and proven expertise and track record
- Under this collaborative effort, NASA will provide the spacecraft, payload integration, and mission ops support
- Stanford will provide the GRS Payloads and instruments
- Approximately one mission per year is planned, in a phased, iterative development approach, beginning in 2008
- Estimated total cost per mission is \$3-5M, depending on mission and technological complexity

Roadmap



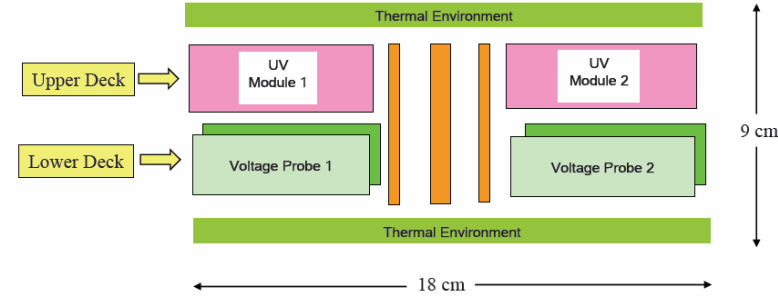


Patent pending

The First Planned Project: UV LED Space Demonstration 2008-2009



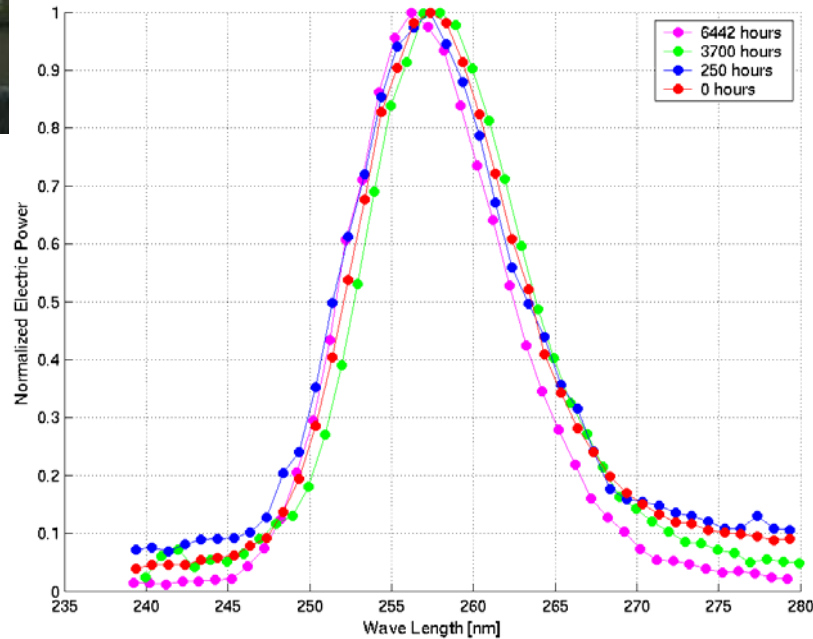
- Charge management for high precision GRS
- Calibration source for UV and X-ray telescope
- Telescope surface and window de-charging
- Life maintaining system for manned space flight



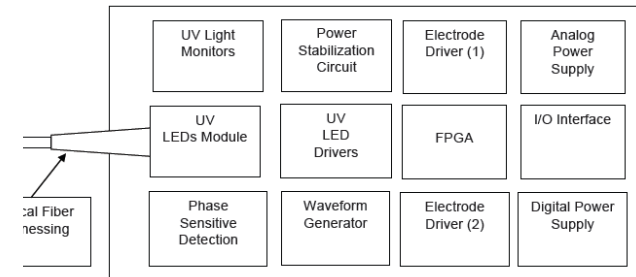
Payload Configuration: Side View



Nick Leindecker



UV LED Performance



Payload Functional Components



UV LED



GENESAT



MGRS

- Spinning sphere, 10 Hz
- 2 Dimensional
- 6 Optical sensors
- Experimental laser noise
- 50 nm position noise
- 50 nm surface roughness
- 1024 map size
- $f_{\text{noise}}/f_{\text{spin}} = 10^{-6}$

