

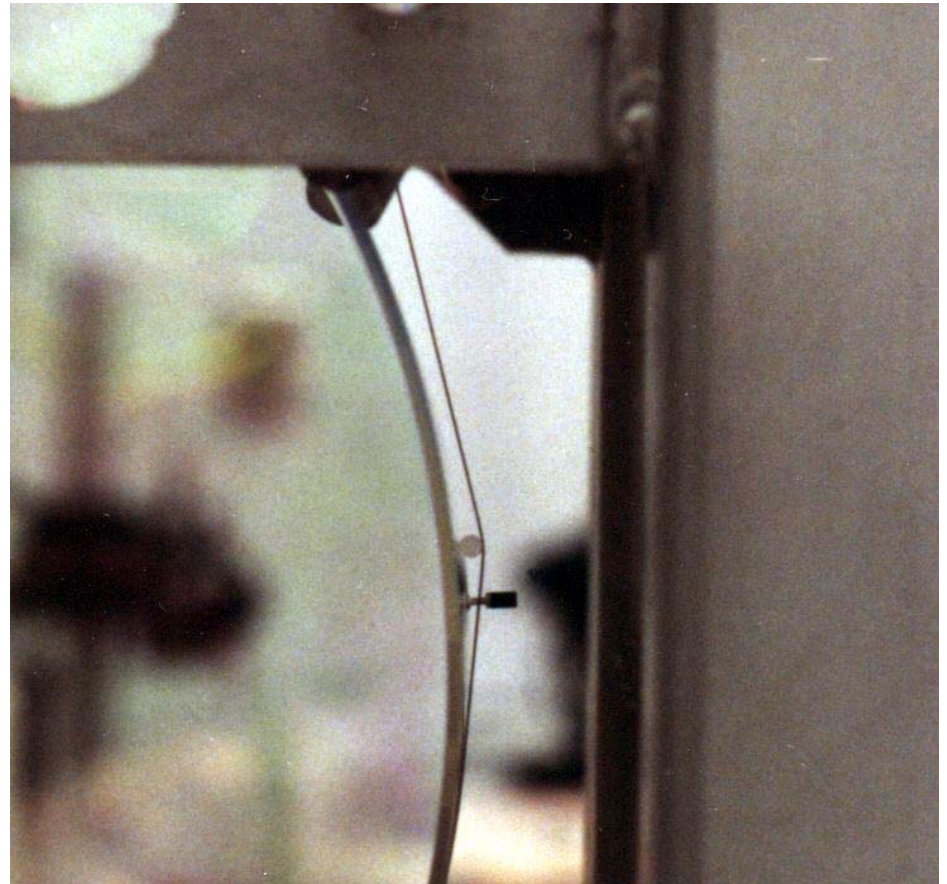
# Suspension Thermal Noise in Initial LIGO

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Detector Characterization  
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LIGO-G050113-00-R

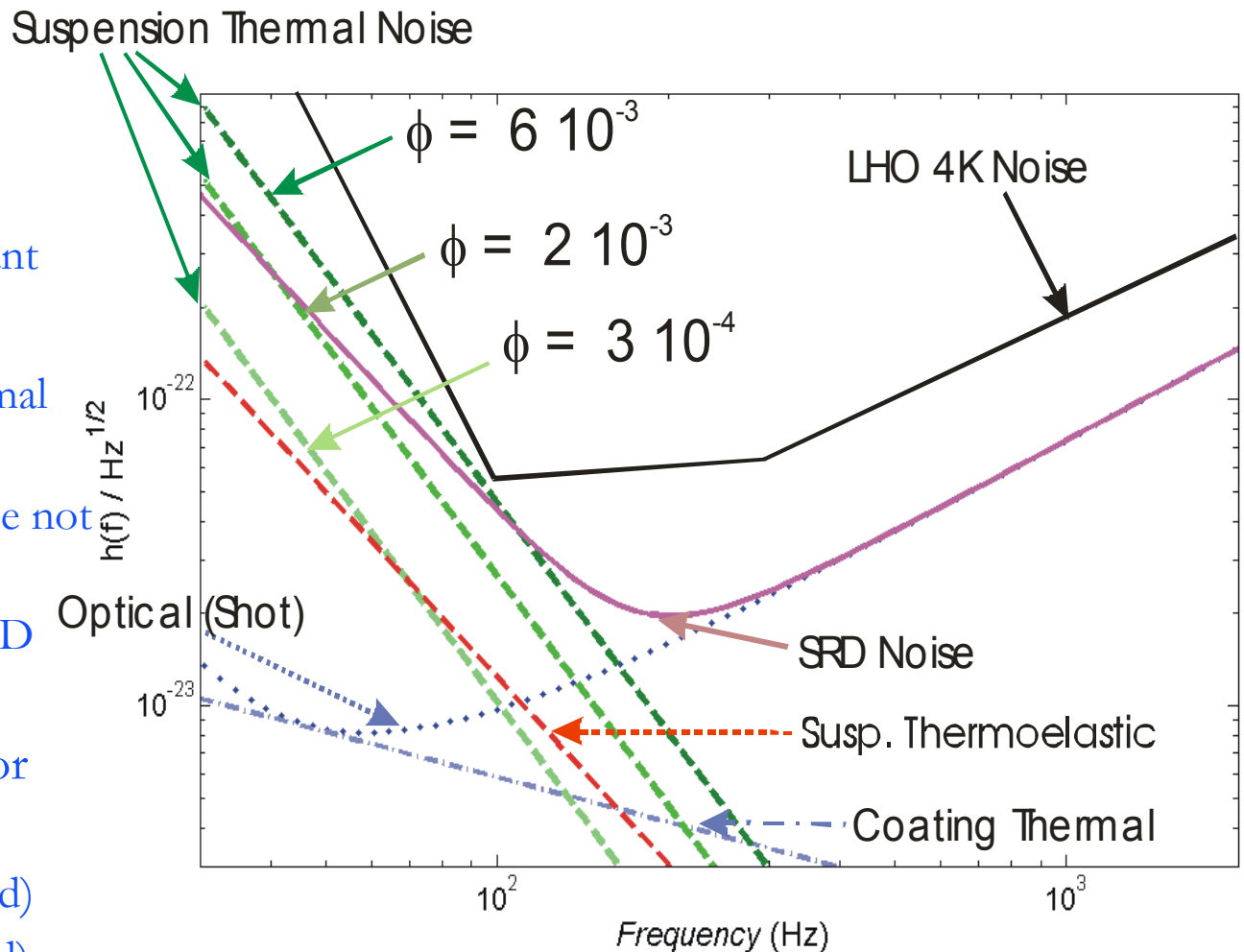
# Outline

- Impact of thermal noise on sensitivity and commissioning
- Measurements of suspension thermal noise
  - Frequency domain
  - Time domain
  - Discrepancies
- Questions and ideas
  - Feedback contamination
  - Modeling



# Impact of Thermal Noise

- Suspension thermal noise
  - Structural damping
  - Lower loss
  - Thermoelastic can be relevant
- Mirror thermal noise
  - Coating ( $\text{SiO}_2/\text{Ta}_2\text{O}_5$ ) thermal noise dominant
  - Silica substrate thermal noise not really a factor
  - About factor of 5 below SRD
- Three presented scenarios for suspension thermal noise
  - Pessimistic (worst measured)
  - Nominal (average measured)
  - Optimistic (material limit)



# Sensitivity to Sources

## Single Interferometer Sensitivity

	Neutron Star Inspirals	10 M <sub>⊙</sub> Black Hole Inspirals	Stochastic Background	Crab Pulsar (ε limit)	Sco X-1 Pulsar (ε limit)
SRD	16 Mpc	63 Mpc	2.3 10 <sup>-6</sup>	1.6 10 <sup>-5</sup>	3.1 10 <sup>-7</sup>
φ = 6 10 <sup>-3</sup>	16 Mpc	60 Mpc	4.7 10 <sup>-6</sup>	2.3 10 <sup>-5</sup>	3.0 10 <sup>-7</sup>
φ = 2 10 <sup>-3</sup>	20 Mpc	84 Mpc	1.9 10 <sup>-6</sup>	1.4 10 <sup>-5</sup>	3.0 10 <sup>-7</sup>
φ = 3 10 <sup>-4</sup>	26 Mpc	120 Mpc	5.9 10 <sup>-7</sup>	7.5 10 <sup>-6</sup>	3.0 10 <sup>-7</sup>
Thermoelastic Limit	29 Mpc	140 Mpc	2.7 10 <sup>-7</sup>	5.7 10 <sup>-6</sup>	3.0 10 <sup>-7</sup>

# Suspension Thermal Noise

$$S_x(f) = 4 k_B T g / (m L (2 \pi f)^5) \Phi$$

## Dissipation Dilution

- Restoring force in pendulum is due to both elastic bending and gravity
- Effective loss angle for thermal noise ‘diluted’ by the ratio

$$\Phi = k_e / k_g \phi$$

$$\begin{aligned} (k_e / k_g)_{\text{violin}} &= 2/L \sqrt{(E I / T)} (1 + 1/(2 L) \sqrt{(E I / T)} n^2 \pi^2) \\ &\approx 2/L \sqrt{(E I / T)} = 3.5 \cdot 10^{-3} \end{aligned}$$

- Correction for first three violin mode harmonics is negligible

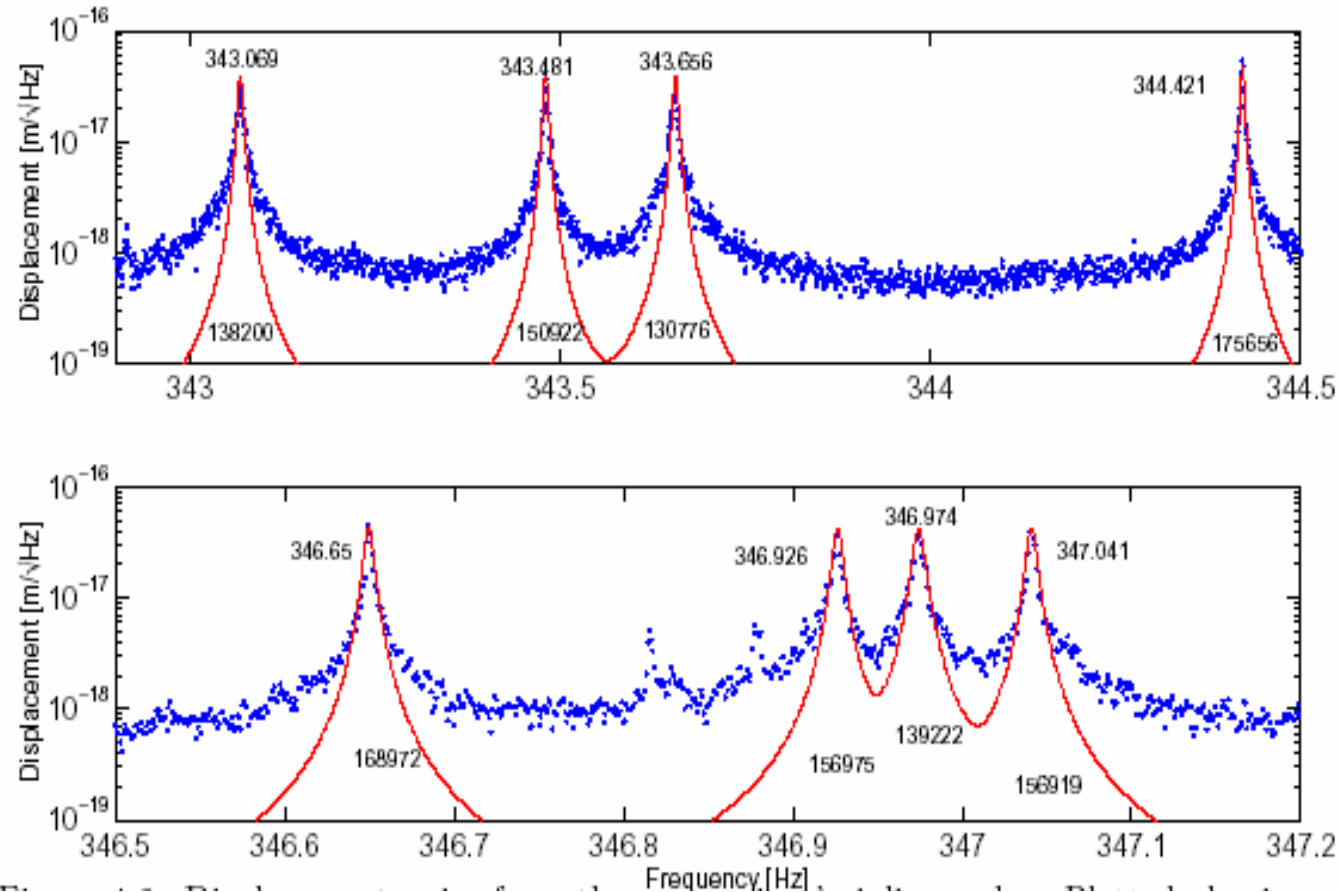
# Q Measurements

## Frequency Domain

- Collect data for  $\sim 2$  h
- Associate peaks with mirrors
- Fit Lorentzians to peaks

### Limitations

- Optical gain drift ?
  - Get similar results with S2 data as current data with improved wavefront sensors
- Temperature drift can cause central frequency to migrate
  - Minimal over a few hours



Graphic from R. Adhikari's Thesis

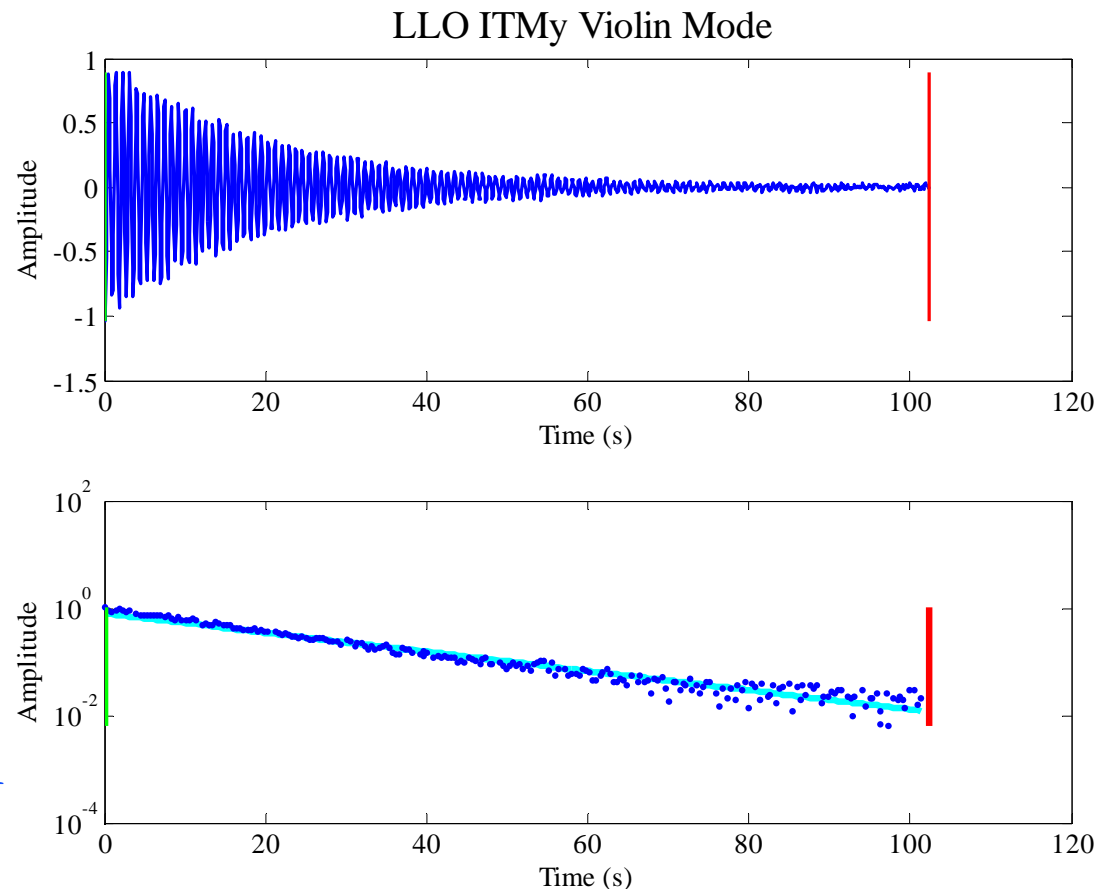
# Q Measurements

## Time Domain

- Excited modes with on-resonance drive to coil
- Let freely ring down
- Put notch filters in LSC loop
- Fit data to decaying exponential times sine wave

### Limitations

- Must ring up to much higher amplitude than thermal excitation
  - No consistent difference between Michelson and Full IFO locks
- Feedback can effect measured Q



# Violin Mode Results

## Overview

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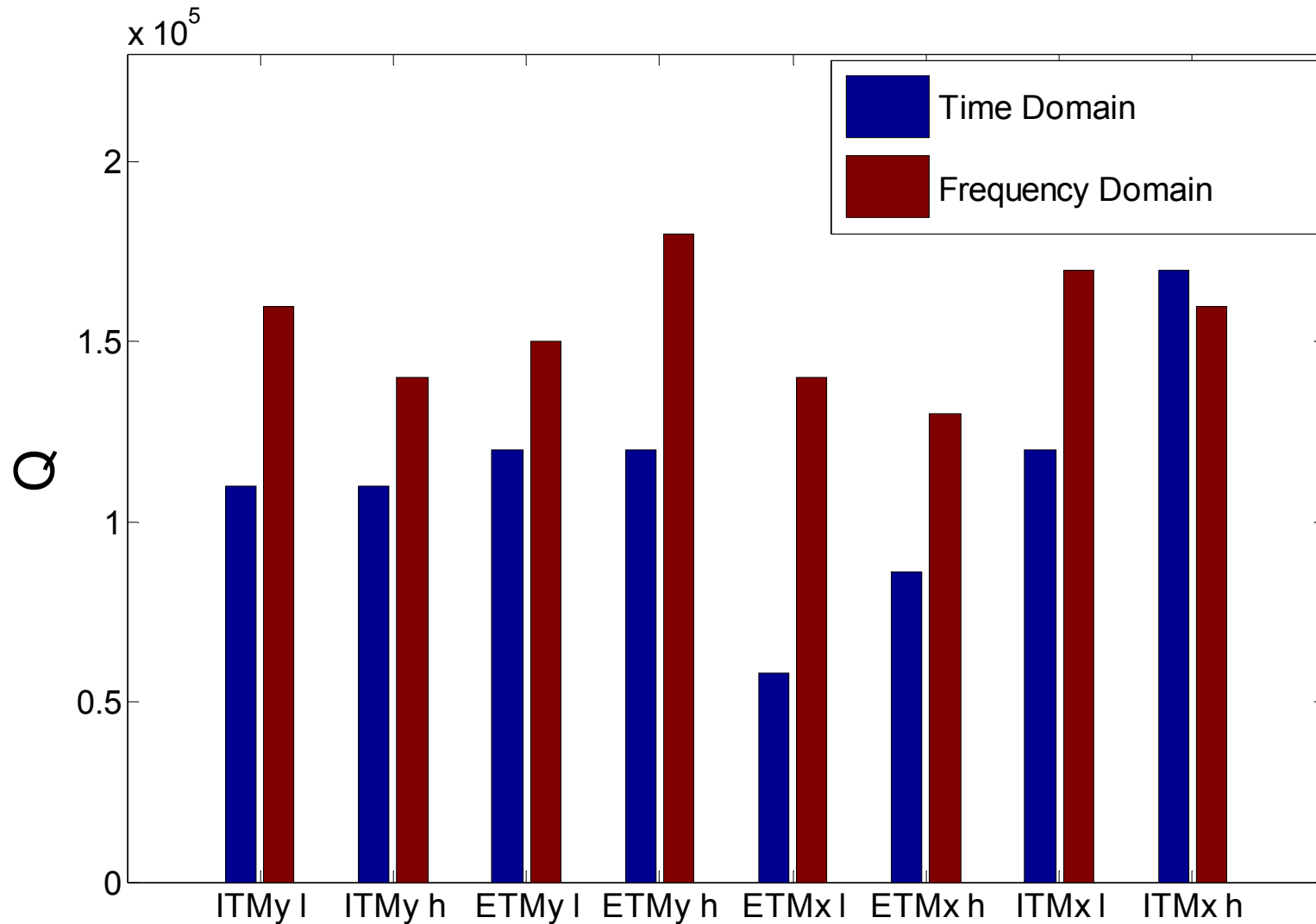
- Ringdown  $Q$ 's and frequency domain fits do not agree
- Ringdown  $Q$ 's repeatable within a lock stretch but frequency domain fits are not
- Results different in different lock stretches
- High harmonics show a little more pattern
  - Still unexplained discrepancies
- Highest  $Q$ 's consistent with material loss in wires
  - Gillespie laboratory results
- Similar (lack of) patterns in all three IFOs
  - Data from all 3, but more data on H2 than others



# Violin Mode Results

## Livingston

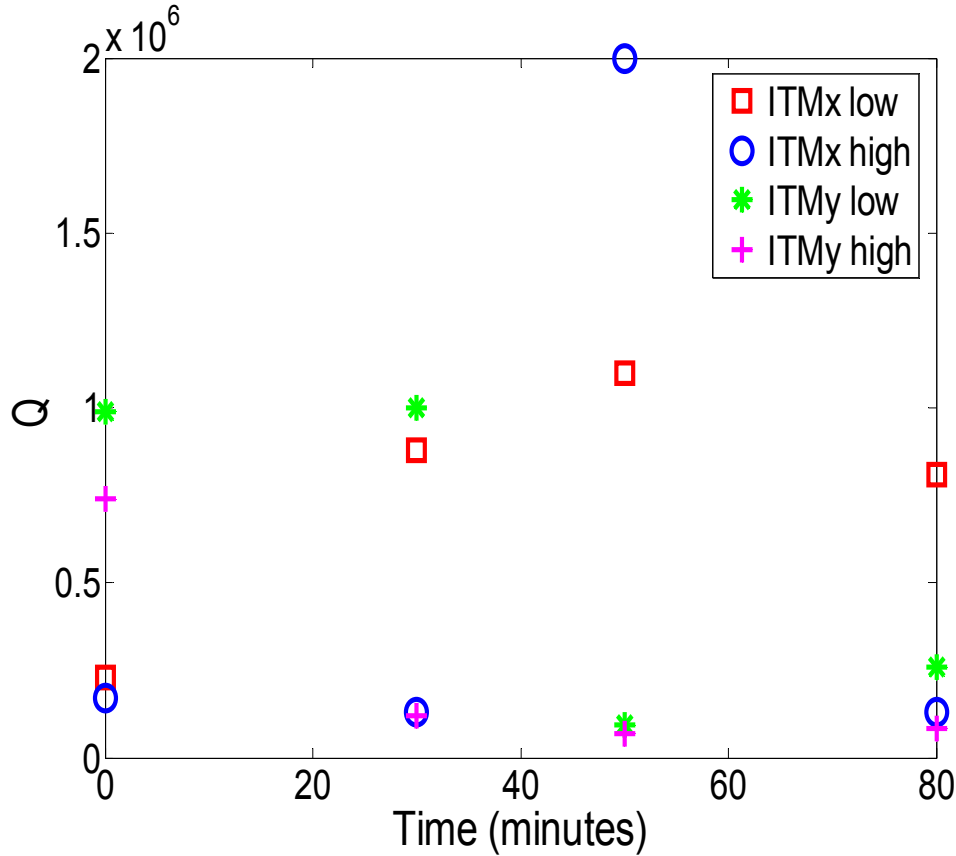
### Comparison of Time Domain and Frequency Domain



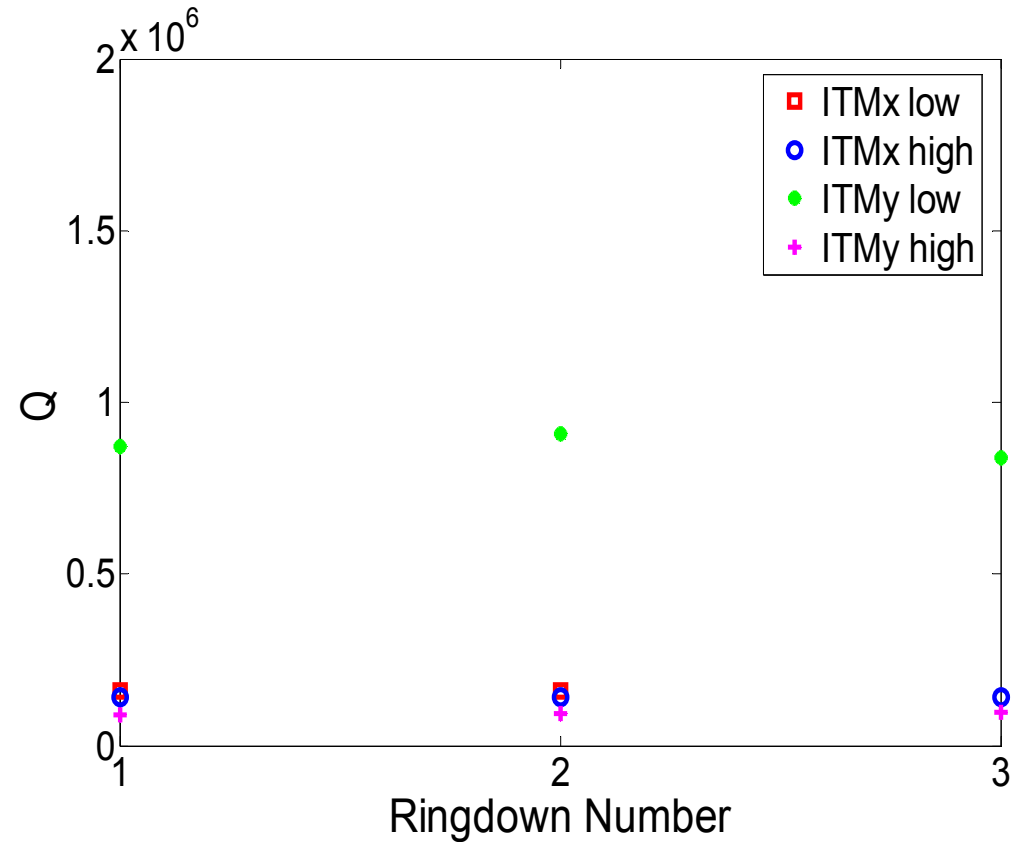
# Violin Mode Results

## Hanford 2K

Comparison of Frequency Domain  
Q's in Same Lock  
UTC 10:30 Jan 31, 2005



Comparison of Time Domain Q's in  
Same Lock



# Violin Mode Results

## Hanford 2K/Livingston

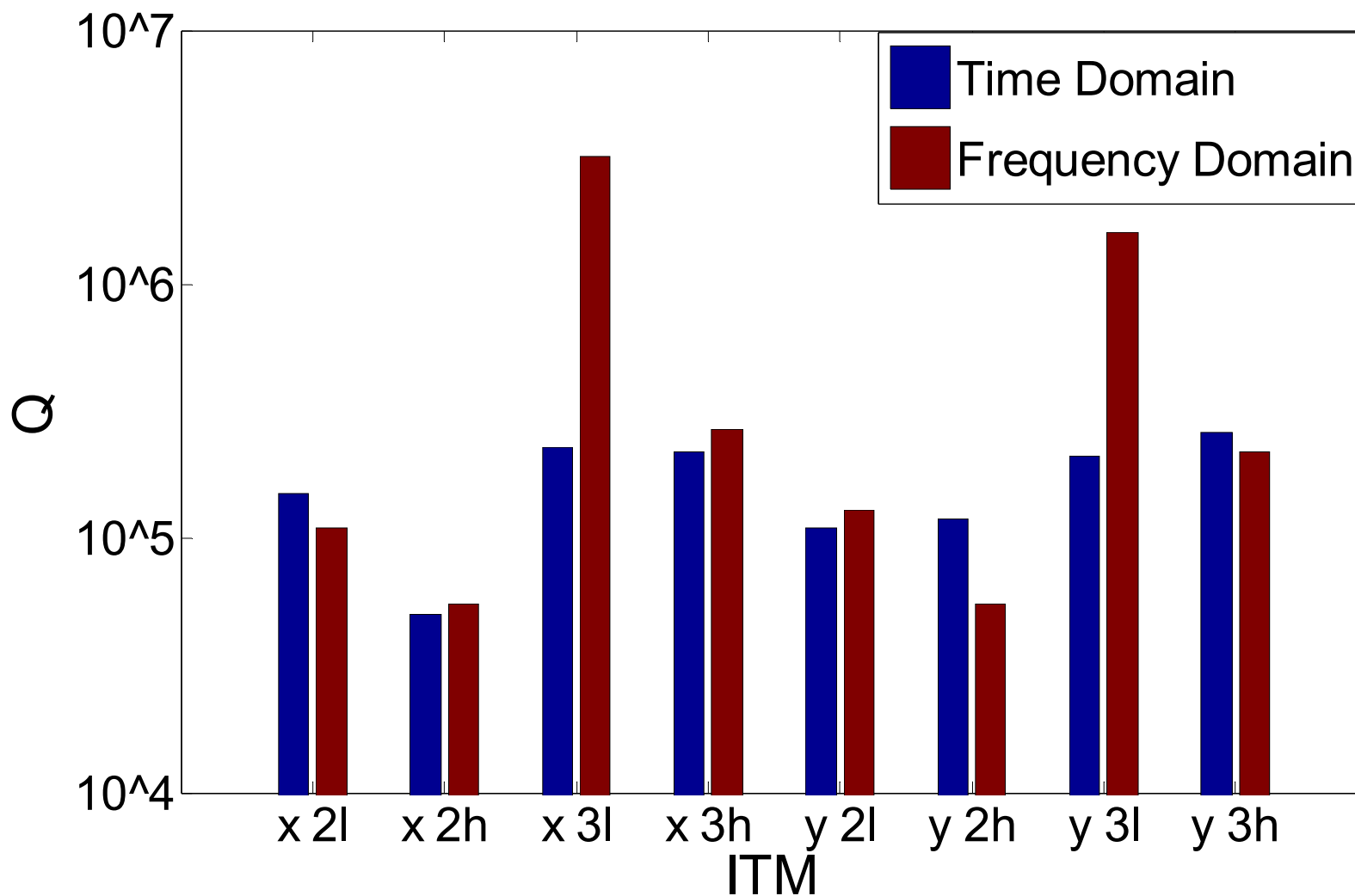
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Comparison of Time Domain Q's in Different Locks

LHO2K IMTx low	LLO ITMx high
$8.6 \cdot 10^4$	$1.7 \cdot 10^5$
$1.6 \cdot 10^5$	$1.4 \cdot 10^5$
$1.6 \cdot 10^5$	
$1.2 \cdot 10^5$	

# Higher Harmonic Results

## Hanford 2K



# Violin Mode Results Hanford

## Highest Q's Measured

Frequency Domain	Q	$\phi$
H2K ITM <sub>x</sub> Third Harmonic	$3.2 \cdot 10^6$	$8.6 \cdot 10^{-5}$
H2K ITM <sub>y</sub> Third Harmonic	$1.6 \cdot 10^6$	$1.7 \cdot 10^{-4}$
H4K ITM <sub>y</sub> Third Harmonic	$9.8 \cdot 10^5$	$2.8 \cdot 10^{-4}$
Time Domain		
H2K ITM <sub>y</sub> Third Harmonic	$2.3 \cdot 10^5$	$1.2 \cdot 10^{-3}$
Gillespie Lab Results		$3 \cdot 10^{-4}$

# Questions from Violin Q Measurements

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- Why the disagreement between  $t$  and  $f$  domain?
  - Is  $f$  domain unreliable? Why?
  - Changes in instrument over hour time scales? Optical drift? Thermal drift?
  - Interaction between degenerate polarizations of modes?
- Why changes in ringdowns between lock stretches?
  - Changes in suspension during lock acquisition?
  - Feedback influence on  $Q$ 's? ASC? LSC and optical spring?
- Why are the highest  $Q$ 's in  $f$  domain third harmonic?
  - Higher frequency gets away from unity gain frequency of loop?
  - Why not seen in  $t$  domain?
- How reliable are these numbers?
  - Changing thermal noise from lock to lock?
  - Feedback contamination so  $Q$ 's do not predict thermal noise?
  - What about internal mode  $Q$ 's?

## Some Hope for Answers

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- Is feedback mechanism feasible?
  - Violin modes coming soon to e2e
- What about loss from optical spring?
  - Thomas Corbitt at MIT has done preliminary modeling
  - Need to have cavity offset from resonance slightly
    - Output Mode Cleaner data shows arm cavities are off resonance by about 1  $\mu\text{m}$
    - Optical loss from cavity spring would look like mechanical loss
  - Thomas' model needs cavity power, expected  $Q$ , measured  $Q$ , frequency
    - For 2.5 kW,  $Q_{\text{exp}} = 10^6$ ,  $Q_{\text{meas}} = 10^5$ ,  $f = 350$  Hz
    - Offset required: 100  $\mu\text{m}$  - does not look likely
  - Needs more work

# Violin Modes :

## Future Directions

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- Modeling and theory
  - Need some ideas
- More time domain data
  - Same and different lock stretches
- Measure  $Q$  vs. ASC loop gain and/or cavity power to assess feedback effect
  - If  $Q$  depends on power, extrapolate back to 0 to get true thermodynamic loss
- Measure more and higher harmonics
  - Get above from loops unity gain frequency
  - Less amplitude for same energy, so less motion of wire
- Collect data on all mirrors and wires
  - Maybe some data is more comprehensible



# Conclusions

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- Suspension thermal noise has a large impact on astrophysical performance
- Firm prediction of suspension thermal noise is still lacking
- Current results are numerous but confusing
  - No reason to believe suspension thermal noise will be above SRD, some hope that it will be significantly below
- Need more measurements
  - Higher harmonics
  - $Q$  as a function of loop gain
- Mirror thermal noise not a limiting noise source