Damping Parametric Instabilities

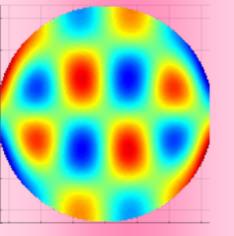


by John Miller and Natania Antler

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Matthew Evans, MIT

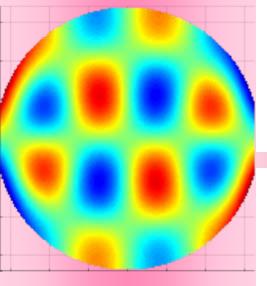
GWADW, 2009

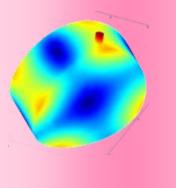




Parametric Instability

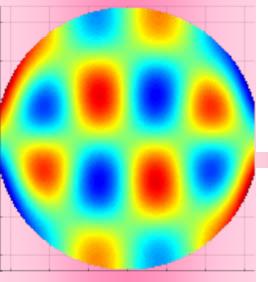
- What, when, where, why...
- A general, classical approach
- Passive Damping
 - work by Natania Antler
- Active Damping
 - work by John Miller



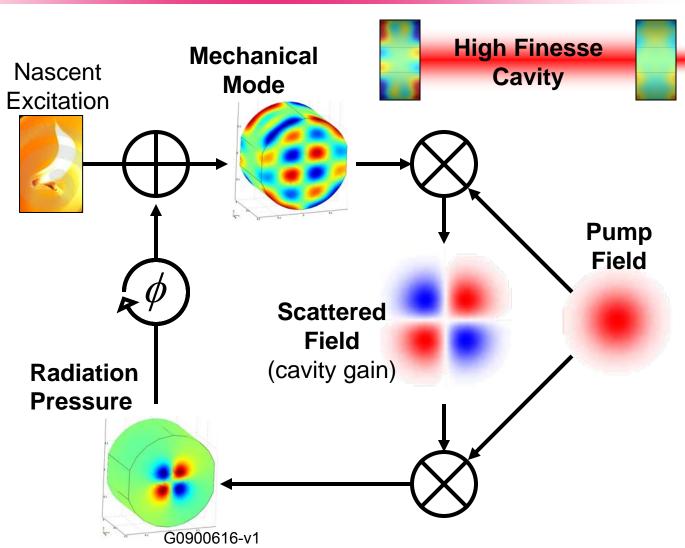


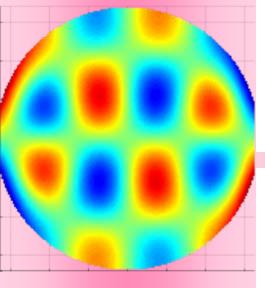
Parametric Instabilities

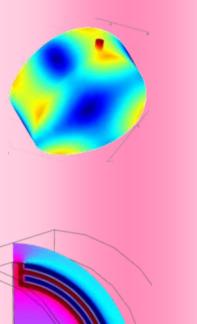
- Opto-mechanical instability that may arise in advanced detectors
 - High stored power (~ 1MW)
 - High Q mechanical modes (>1M)
- Due to energy transfer from stored optical power to mirror mechanical modes
 - Transfer is driven by mechanical mode amplitude
 - Can lead to instability



Parametric Gain



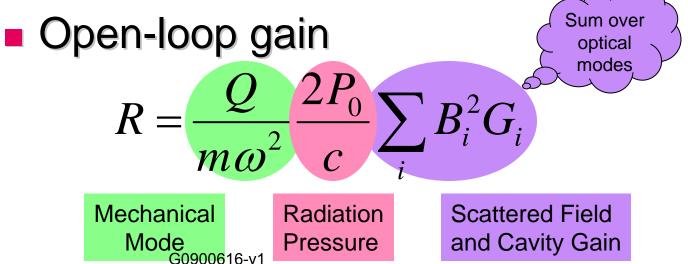


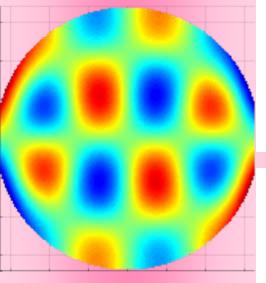


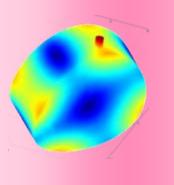
Parametric Gain

Opto-mechanical feedback

- X_mechanical starts at X_initial
- Converts E_pump to E_nm
- Beats with E_pump to make F_nm
- Drives X_mechanical





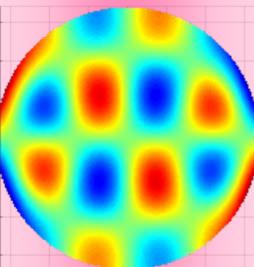


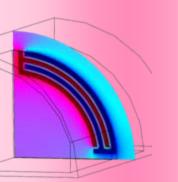
Parametric Gain, Worst Case

Curvature uncertainty

- Make optical resonances wider
- Ignore optical modes with negative gain
- Assume high mechanical Q
 - 10M assumed for all modes

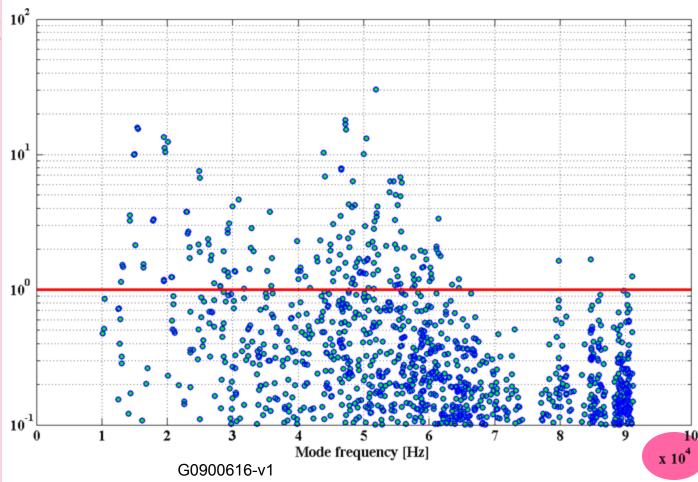
For Advanced LIGO…

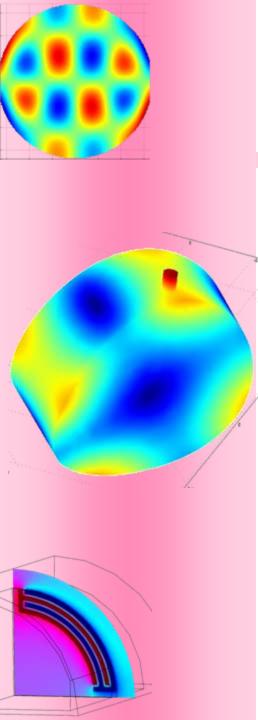




Parametric Gain, Worst Case

Worst Case R values

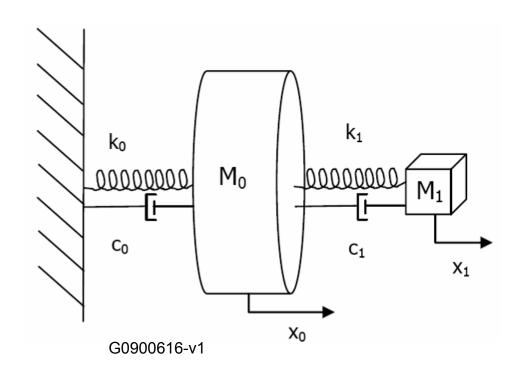


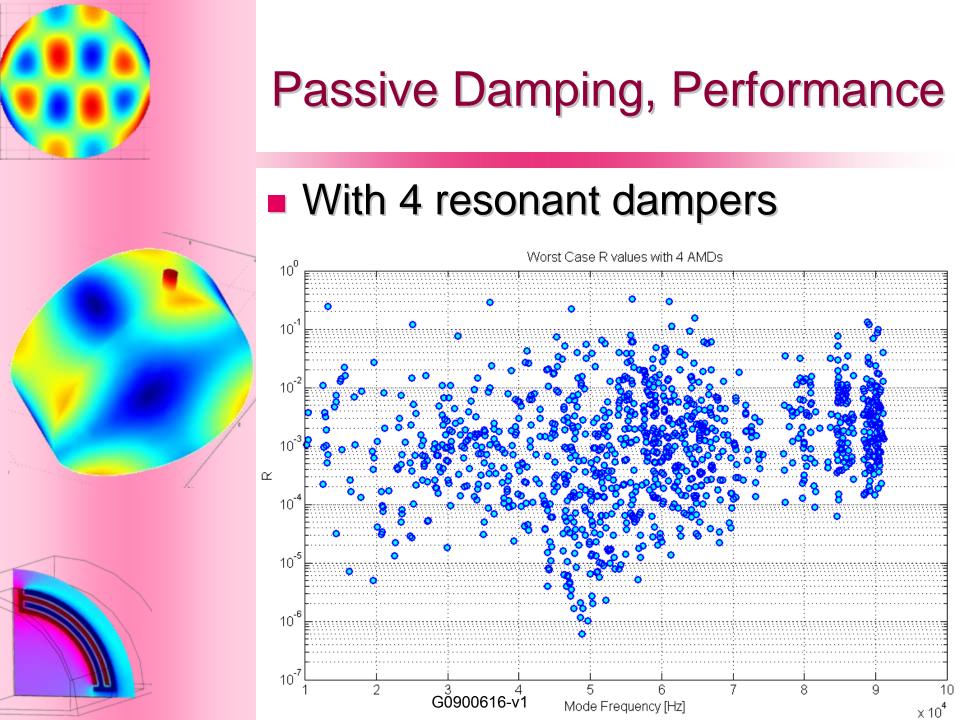


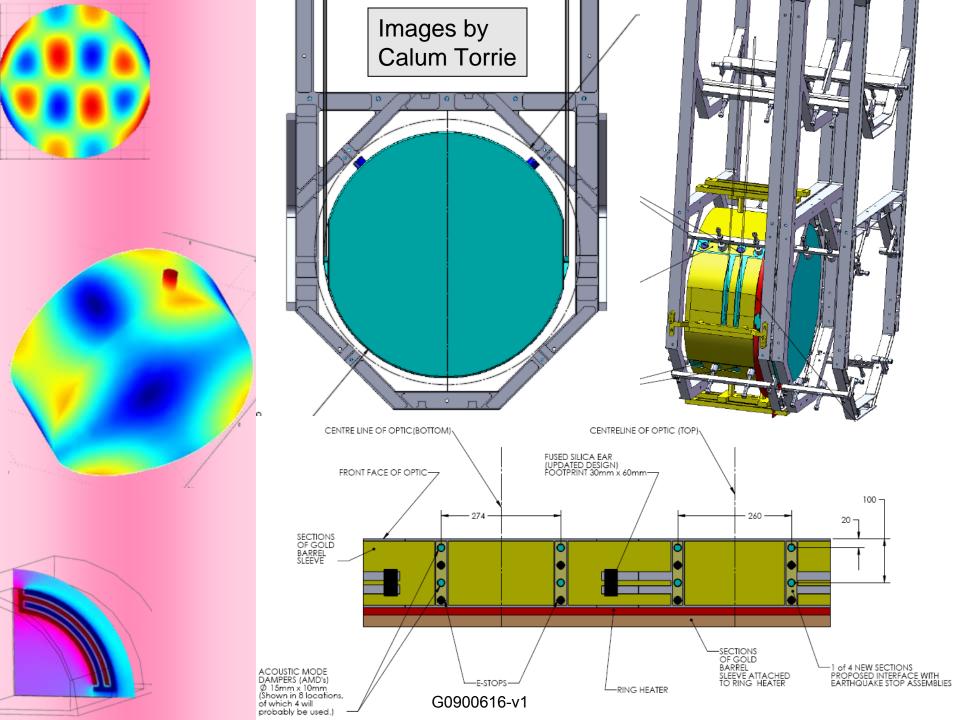
Passive Damping

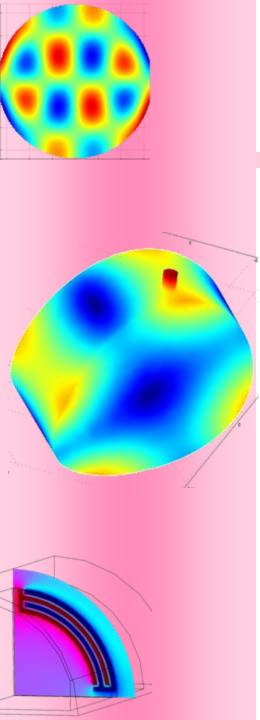
Resonant damping

- Add a few mechanical dampers
- Resonant frequencies > 10kHz





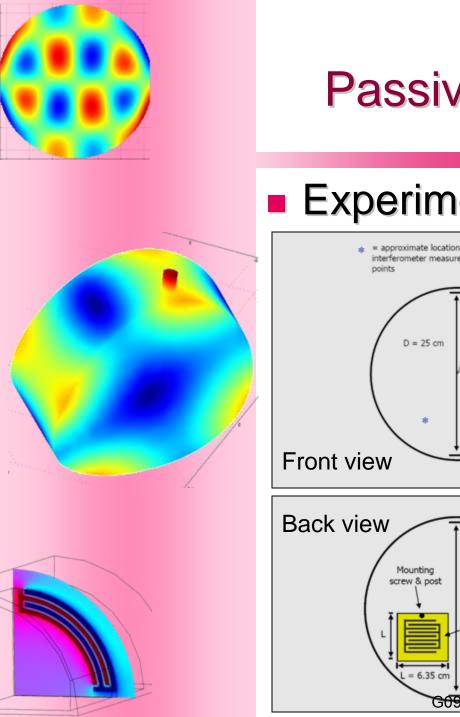




Passive Damping, Noise

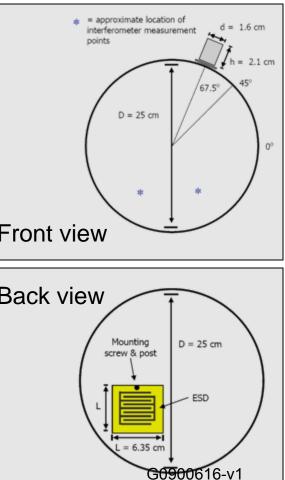
- What is the thermal noise implication?
- The damper is rigid at 100Hz
 - Loss in the resonant damping is negligible
- And the glue?
 - Dennis Coyne says (at 100Hz)

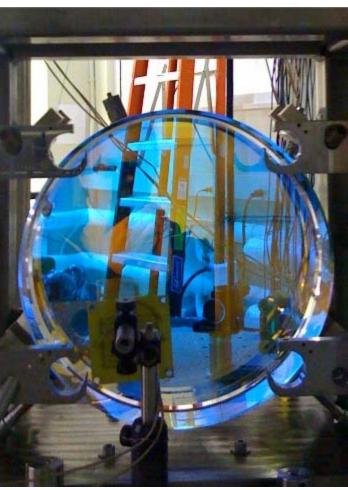
$$S_x < 2.5 \times 10^{-22} \sqrt{\frac{A}{cm^2}} \frac{m}{\sqrt{Hz}} << 10^{-20} \frac{m}{\sqrt{Hz}}$$

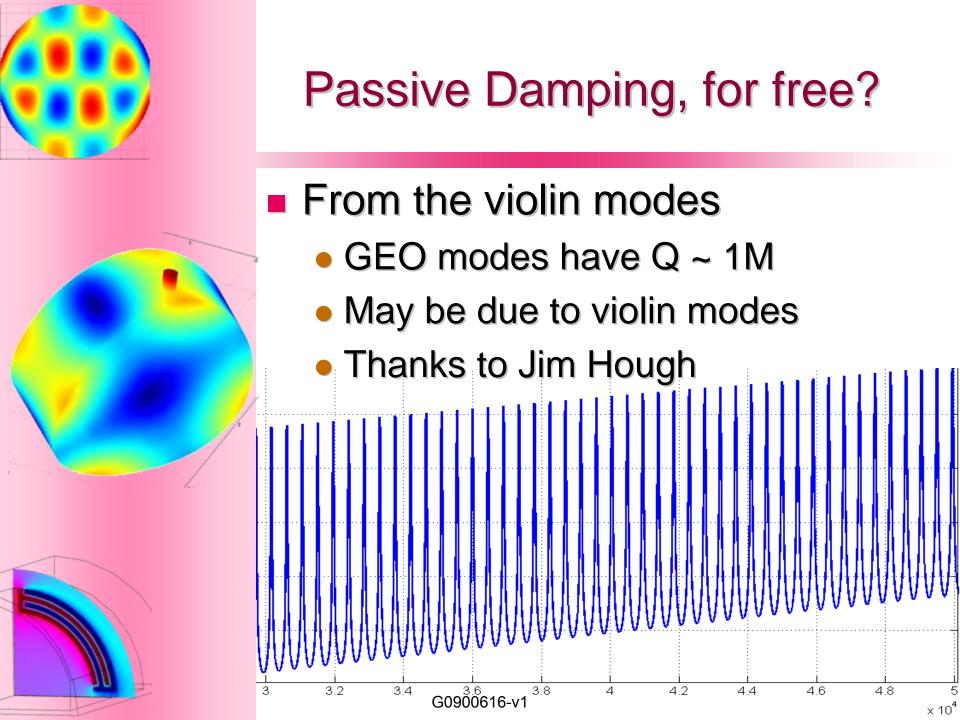


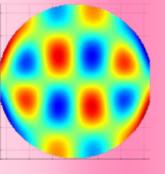
Passive Damping, at MIT

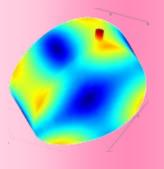
Experiment by Natania Antler

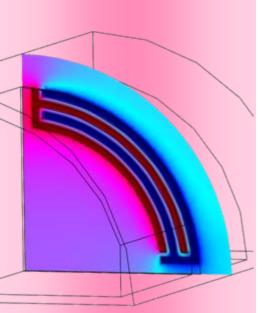








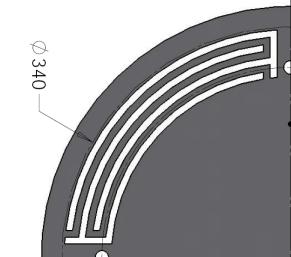


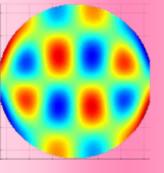


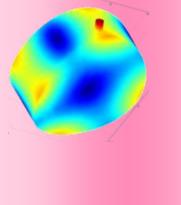
Active Damping

Active feedback damping

- Use existing optical readout
- Use existing electro-static drive
- Shape loop
 - Eliminate in-band noise
 - Tune loop phase





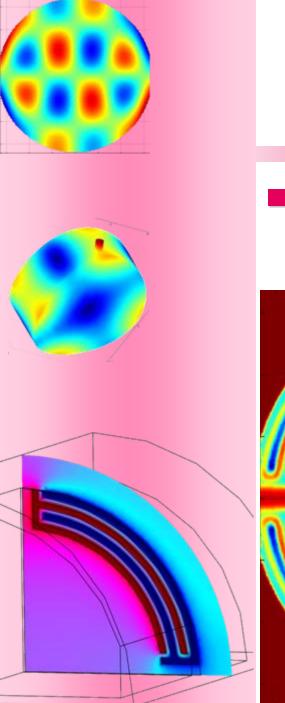


LASTI prototype compensation plate

Active Damping, the ESD

How much force is needed?
How much can the ESD deliver?
What is the coupling?

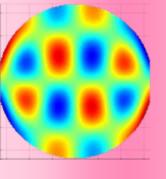




Active Damping, the FEM

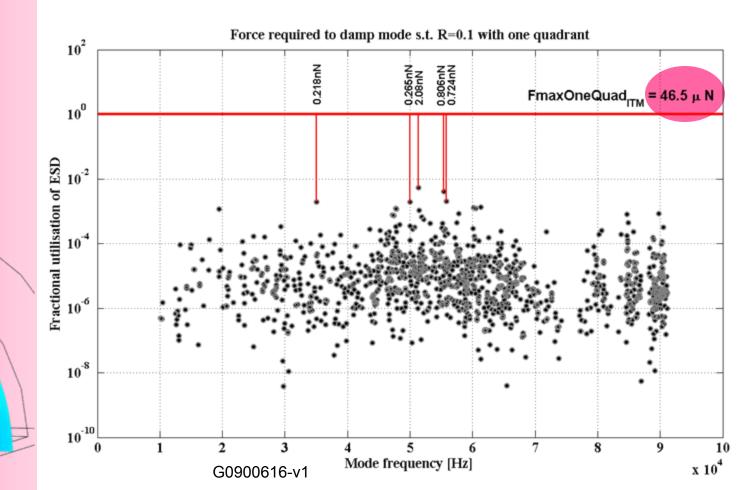
Analysis by John Miller

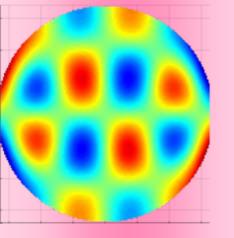
ESD Pressure on Test Mass



Active Damping

All modes can be damped...

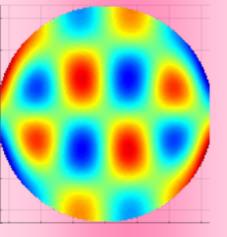




Conclusion

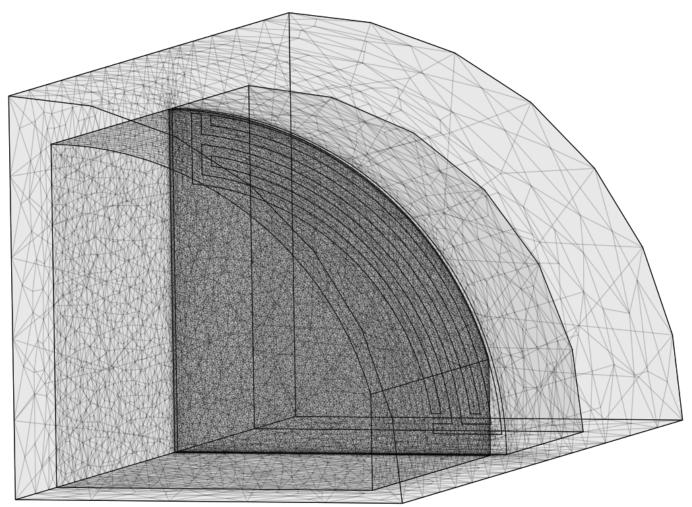
Parametric Instability

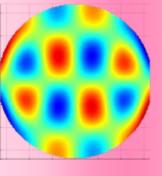
- Easy to understand
- Depends on high mechanical Q
- ... which is easy to spoil
- Passive damping
 - Easy, low cost
 - No extra thermal noise
- Active Damping
 - No added hardware
 - May be time consuming



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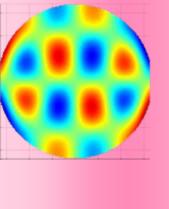
Active Damping, Force

FEM by John Miller

$$F_{ESD} = \frac{\omega_m^2 \cdot M_m}{\Gamma_m \cdot Q_m} \cdot x_m^{rms}$$

for thermal excitation...

 $=\frac{\omega_m}{\Gamma_m\cdot Q_m}\cdot\sqrt{M_mk_BT}$



Active Damping, Force

If you use all for ESD quadrants

